Cloud Telemetry Modeling via Residual Gauss-Markov Random Fields

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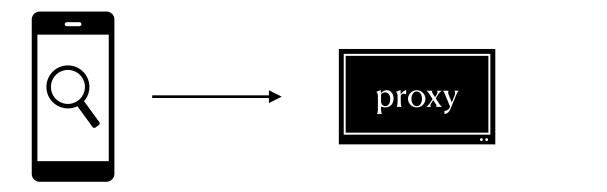


cloud systems are large

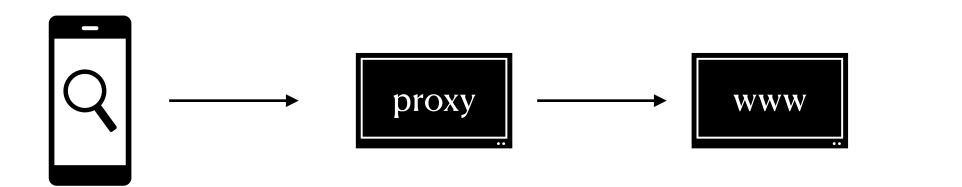




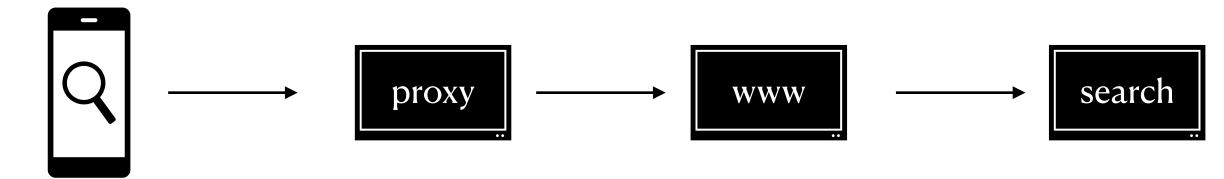








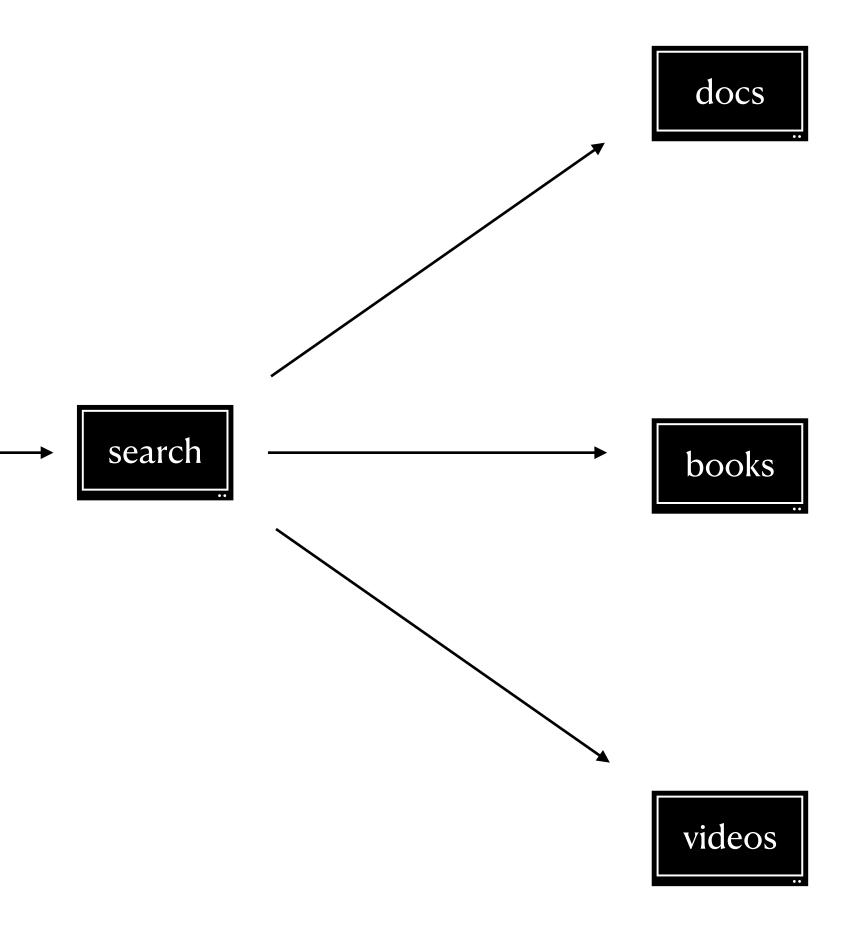






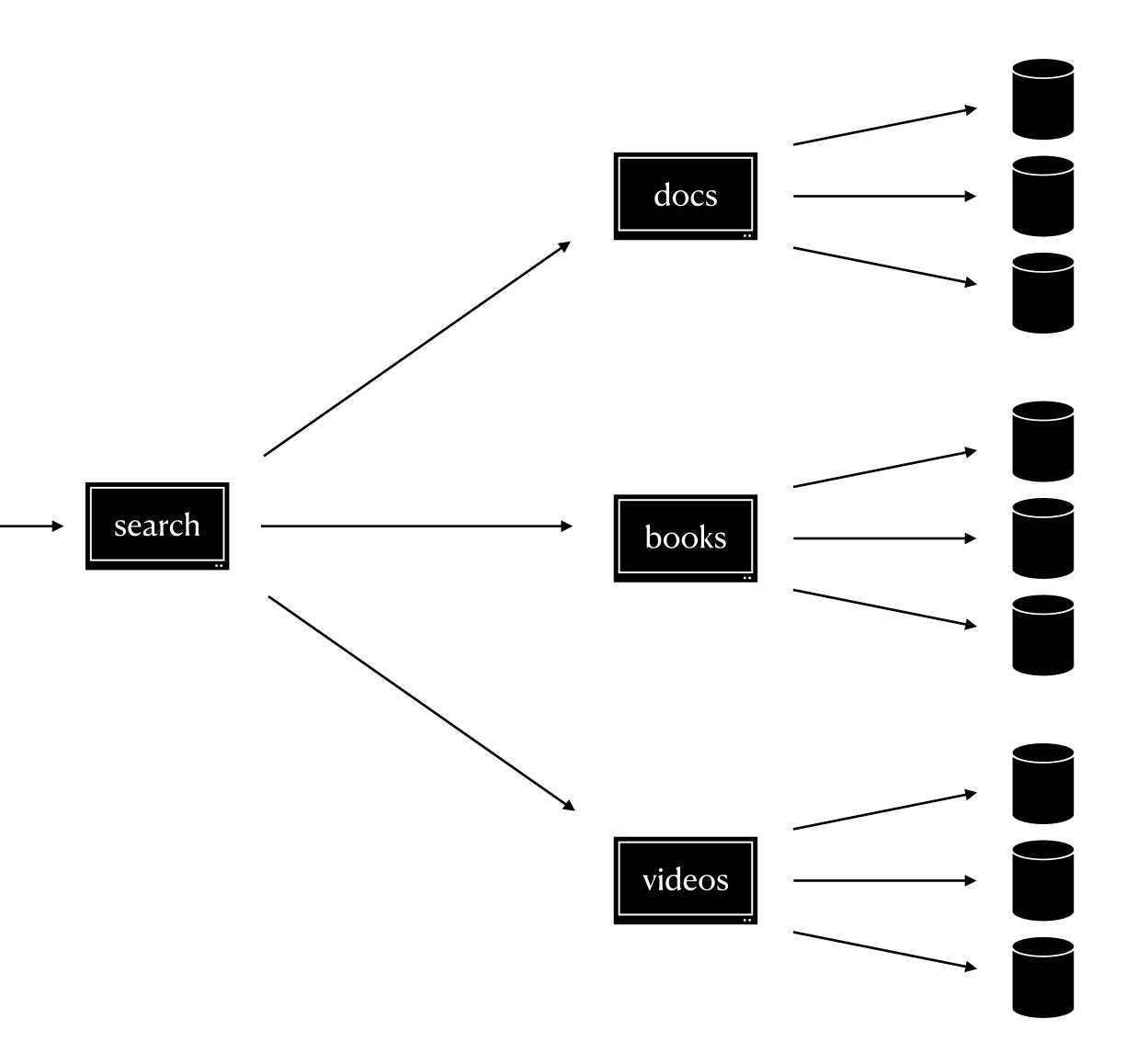


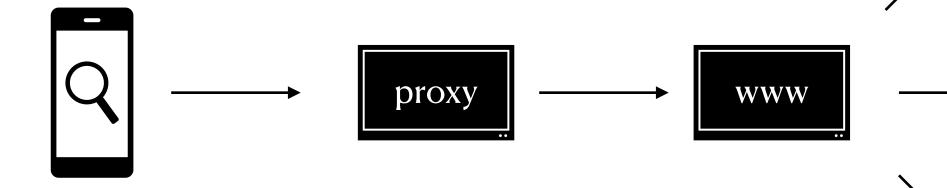


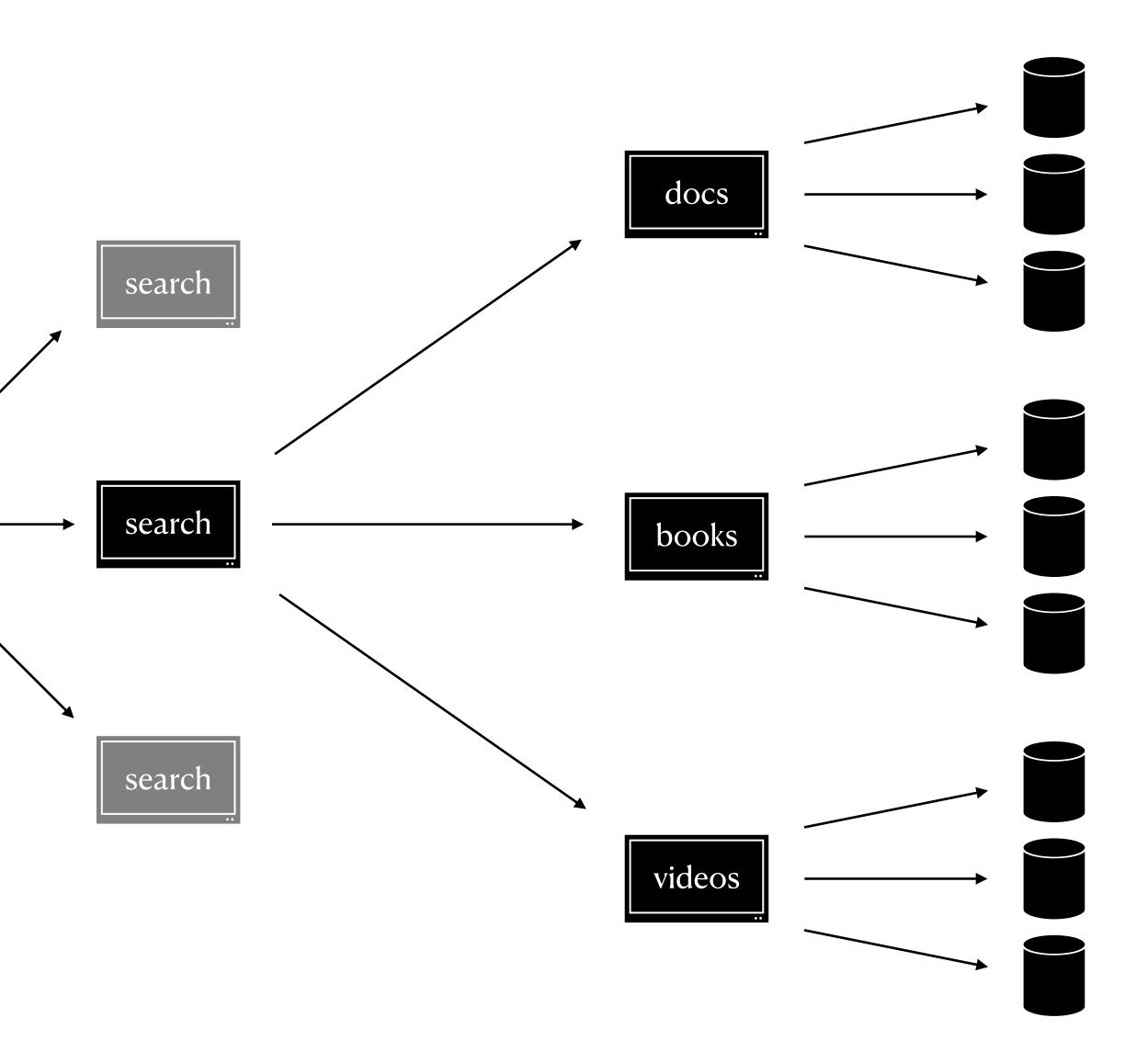




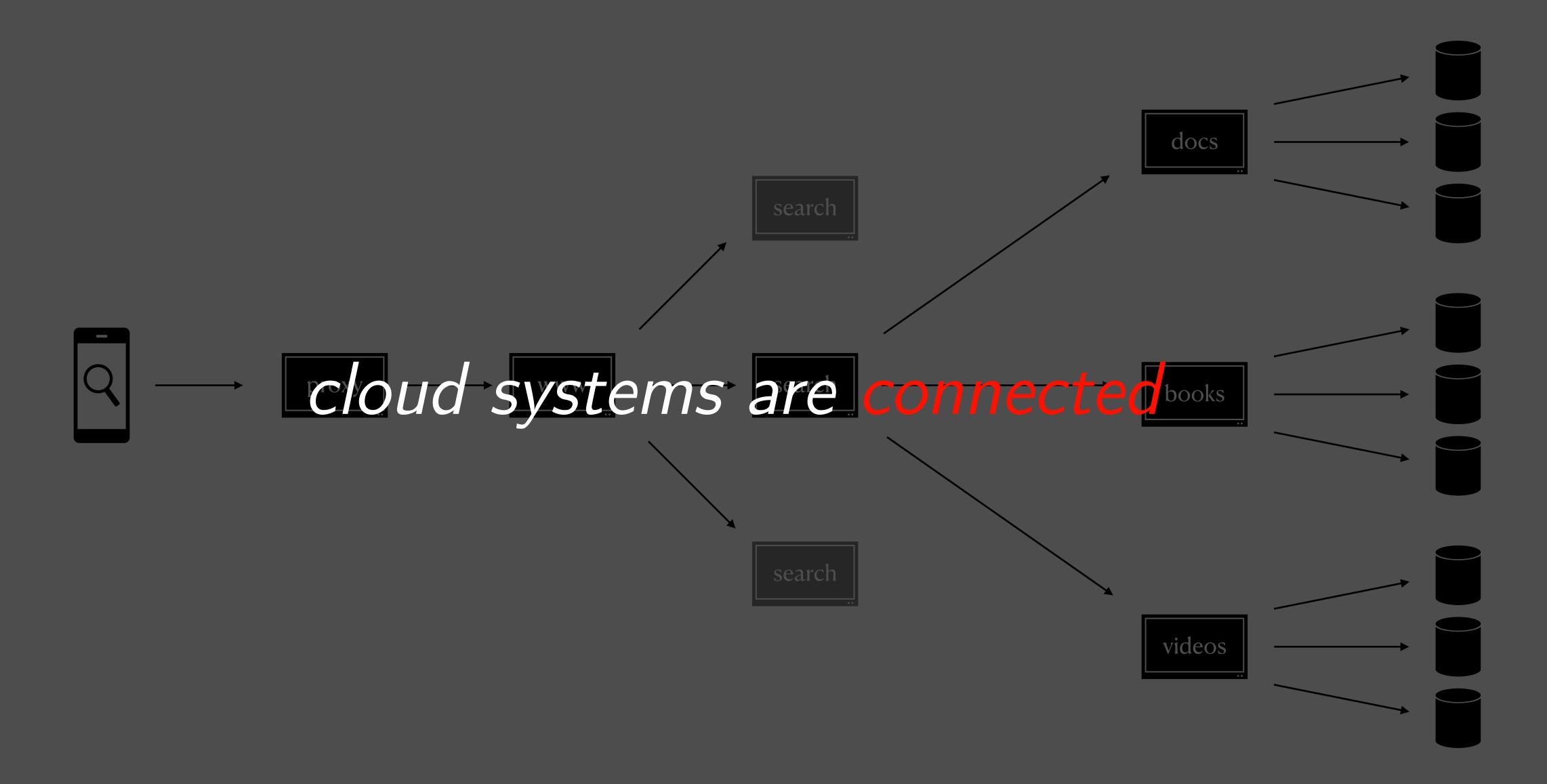




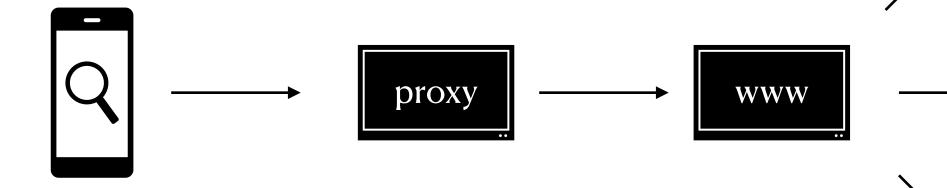


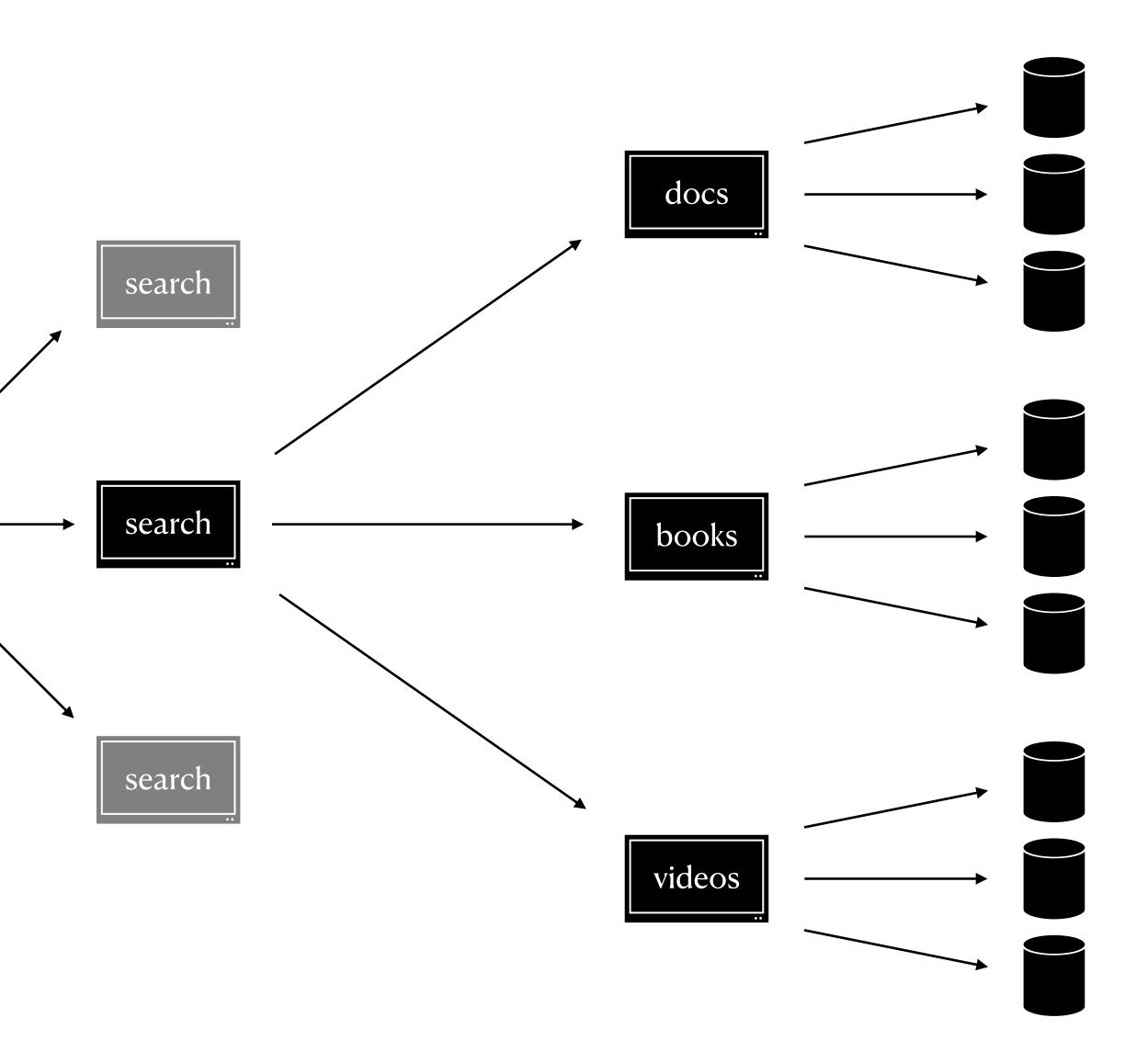


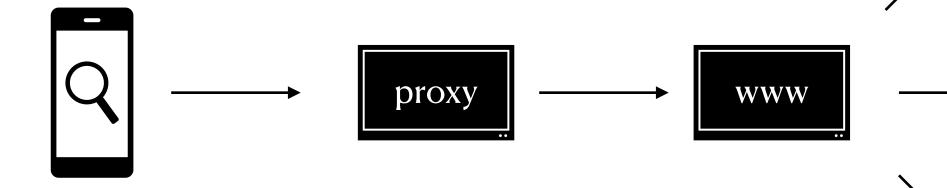


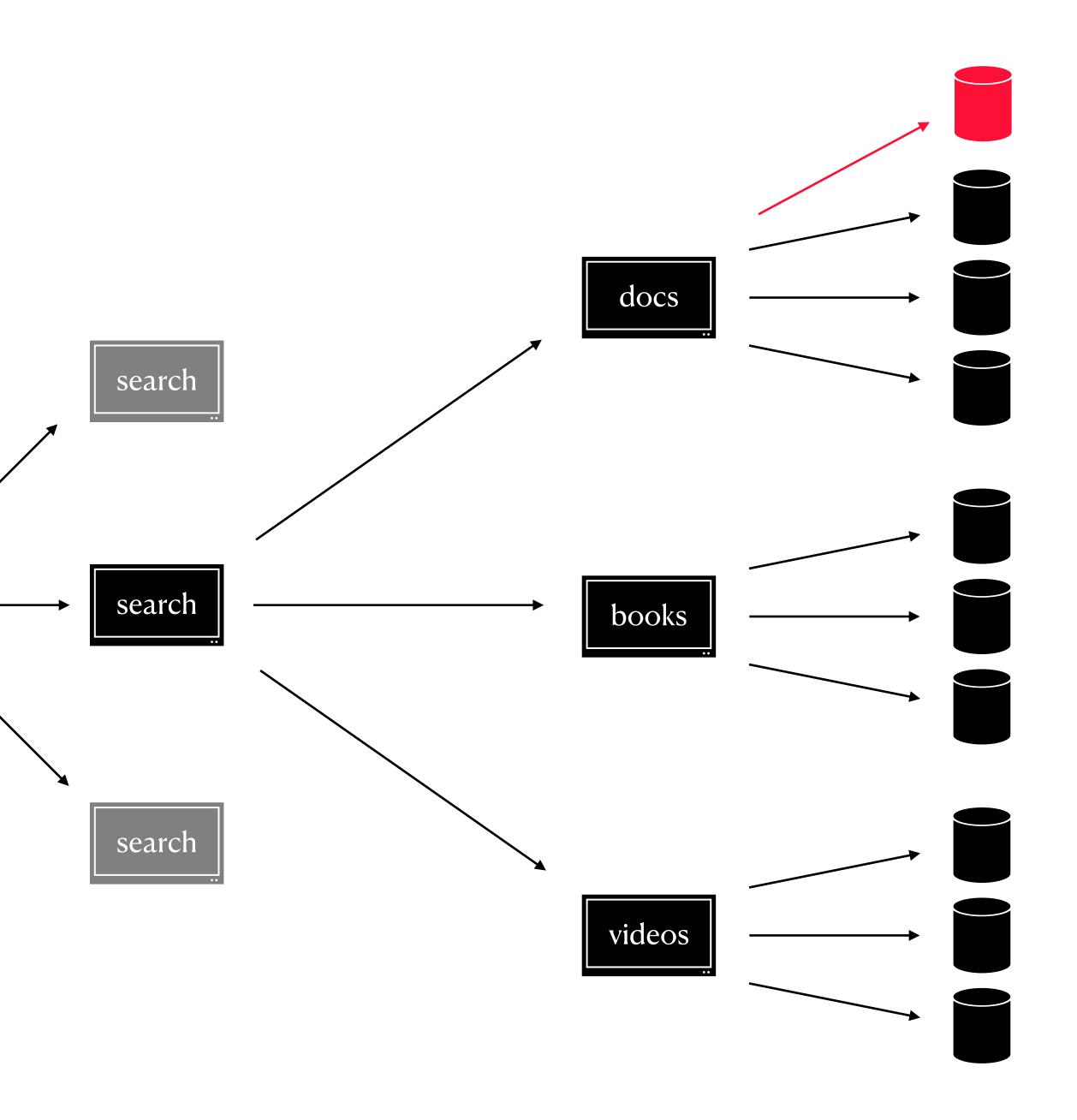


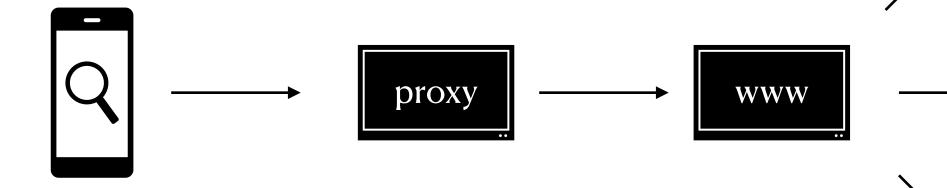
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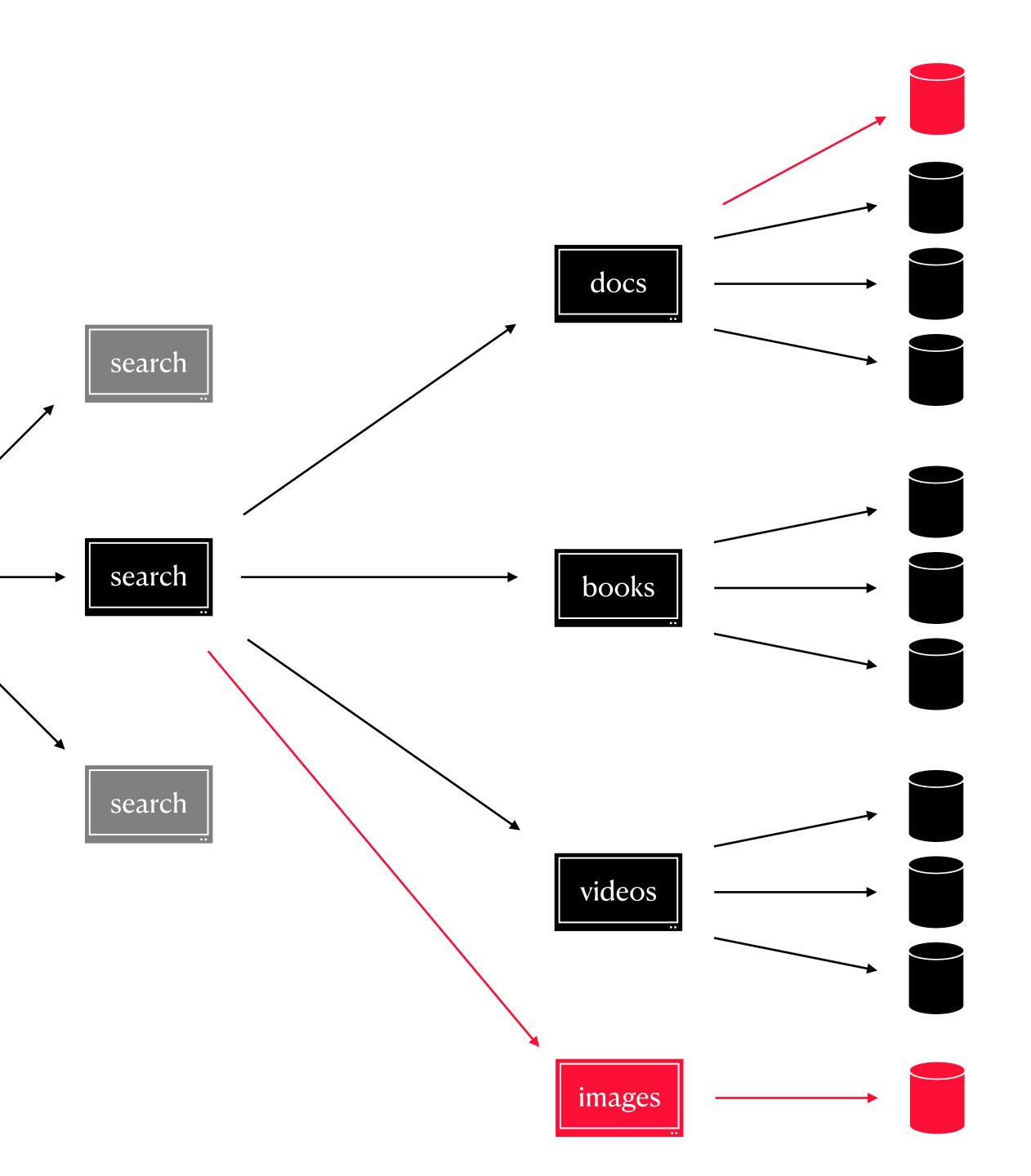




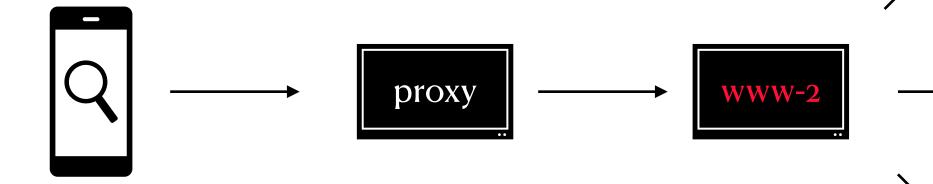


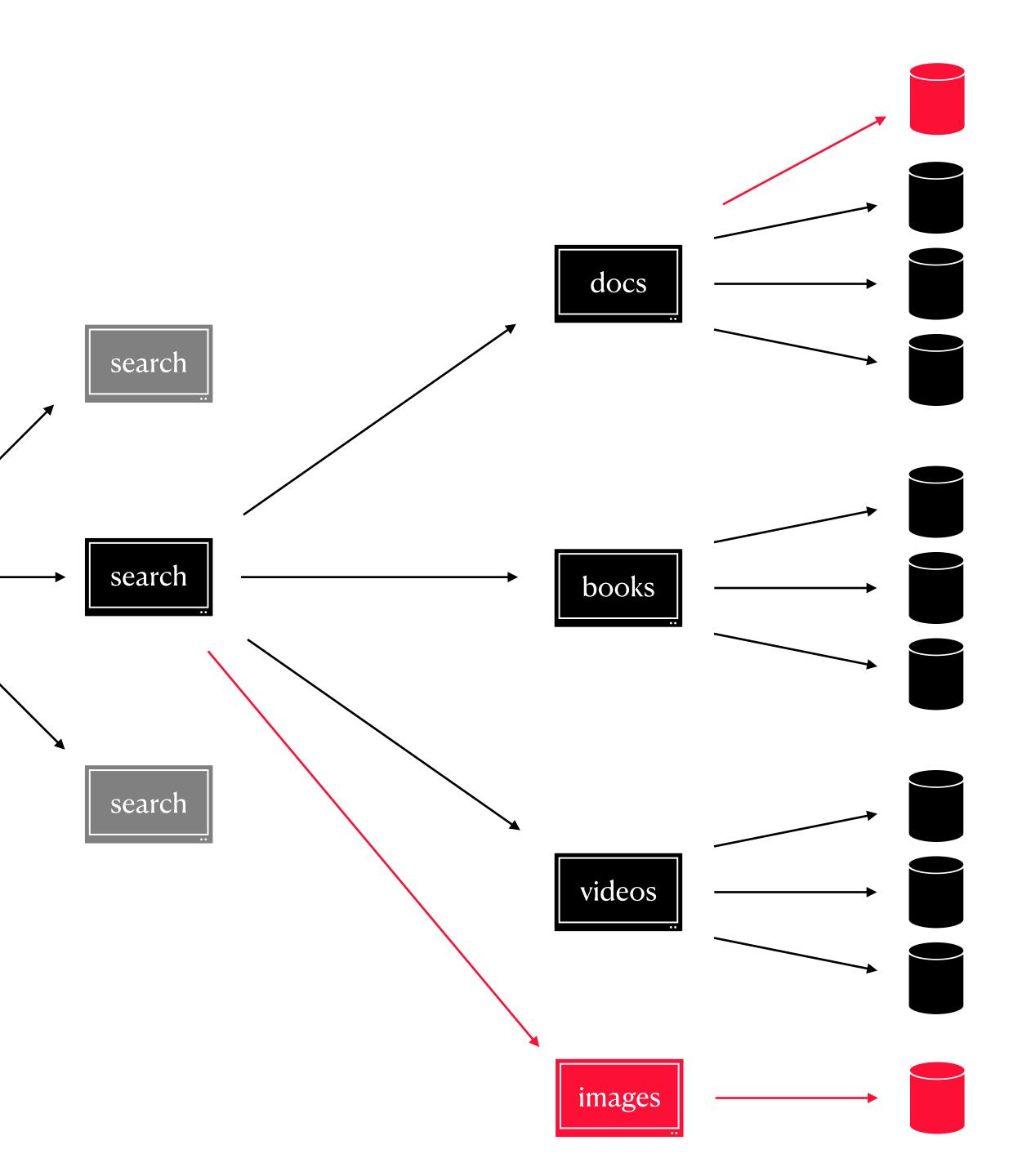






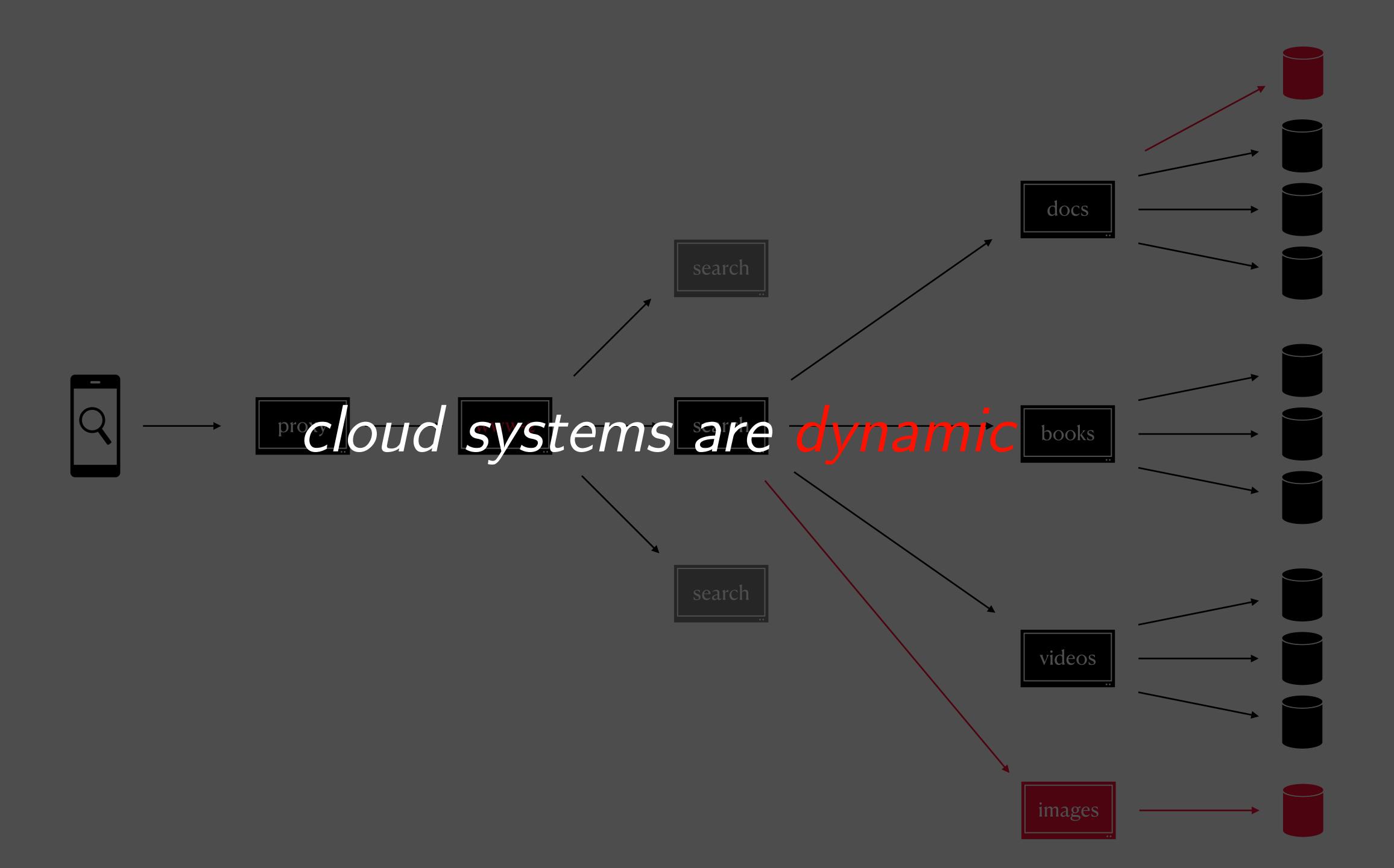














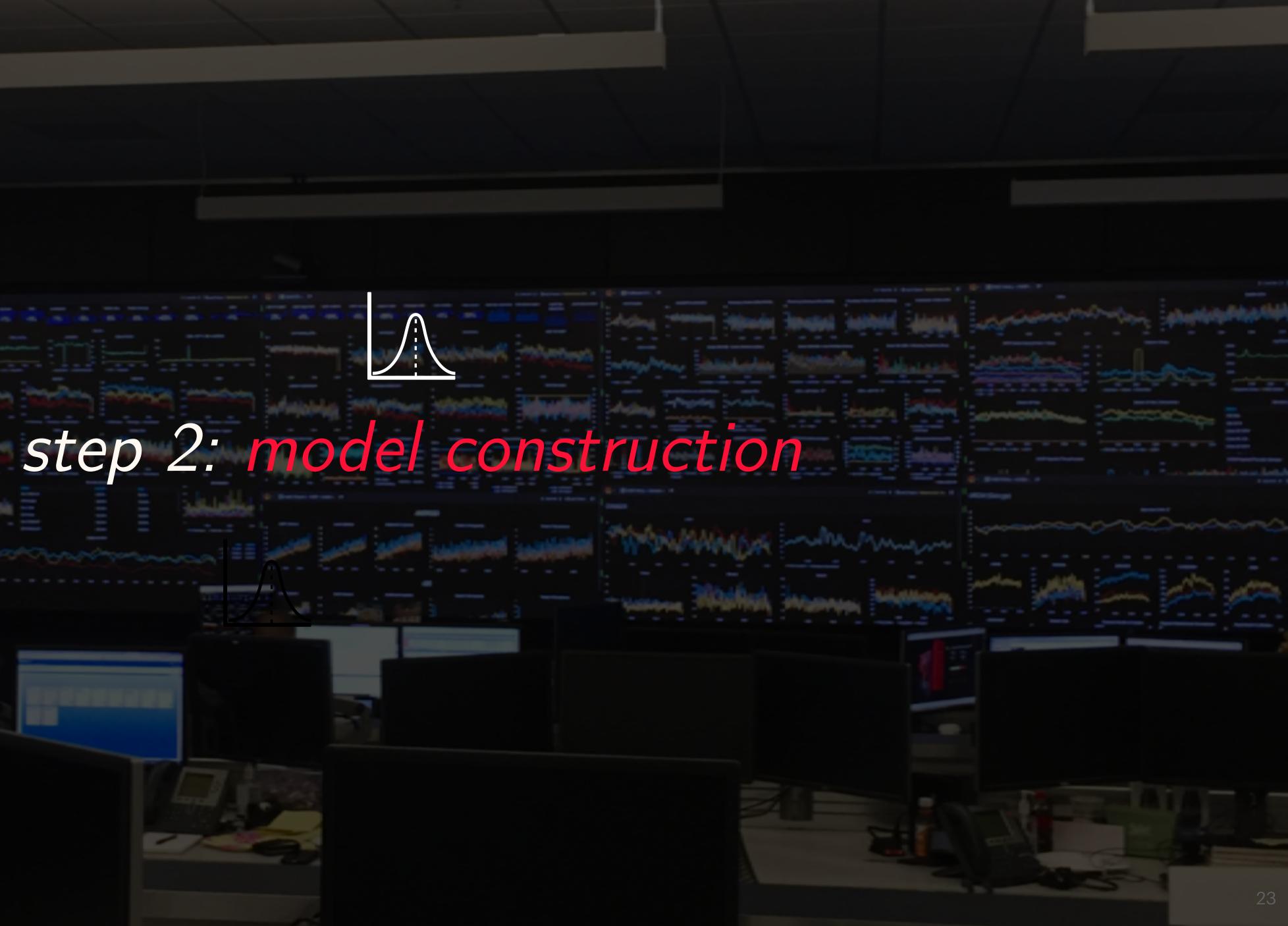
We want to characterize normal operating conditions and recognize changes





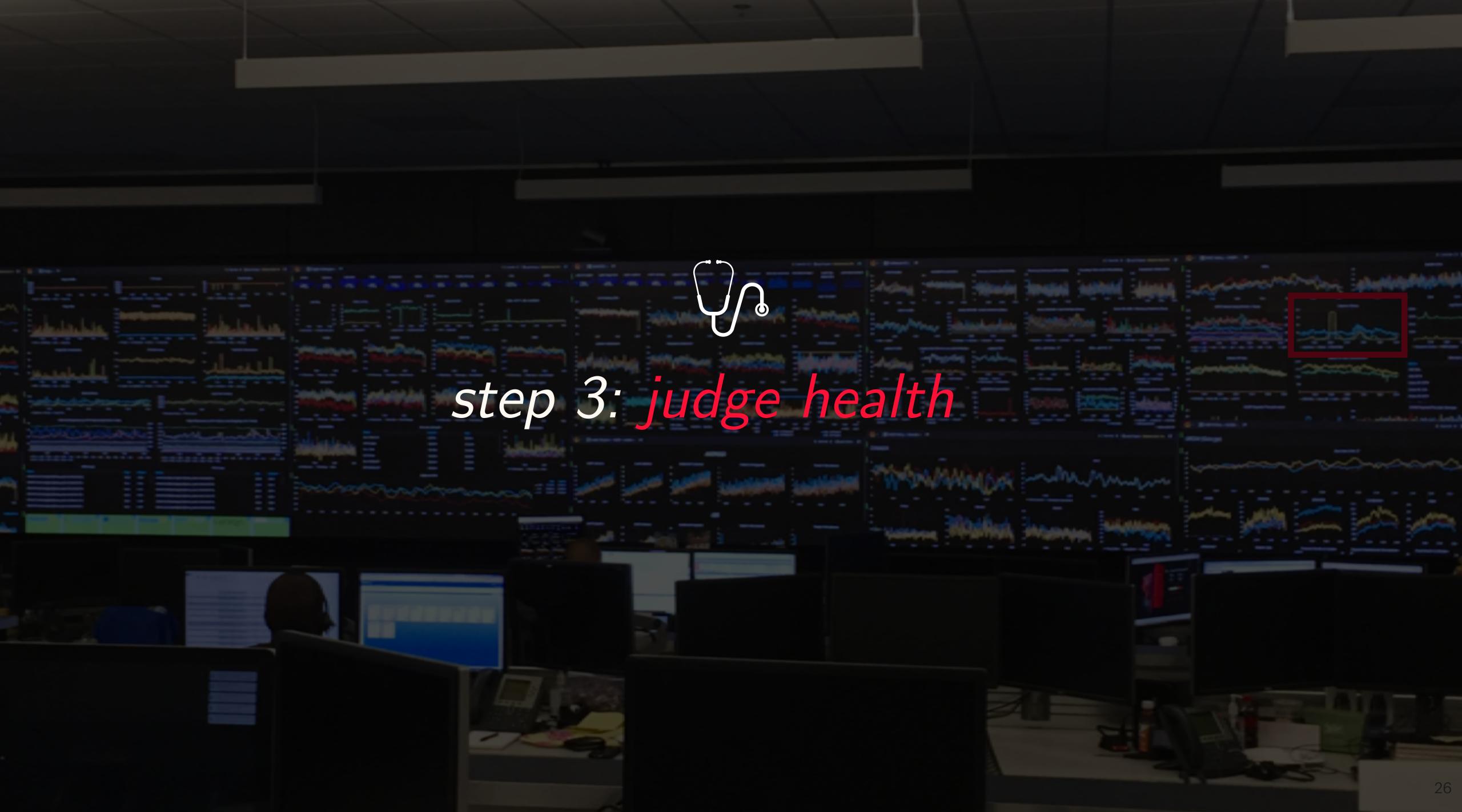








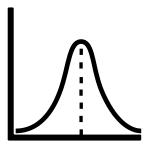


















instrumentation, though difficult, largely addressed by prior work

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model construction is difficult, our focus



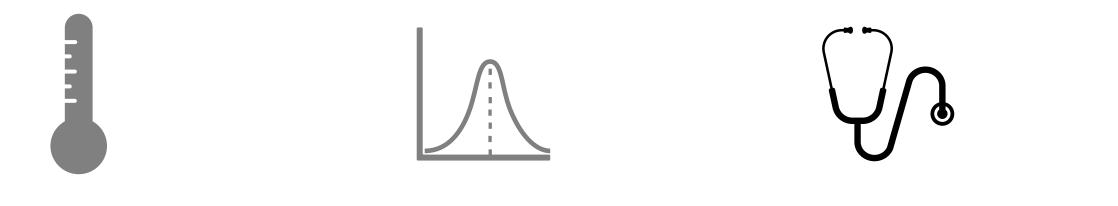






judge health via anomaly detection

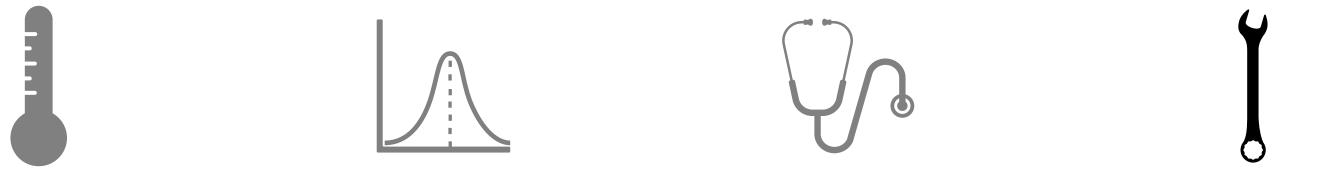




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can not experiment, only *unsupervised* data





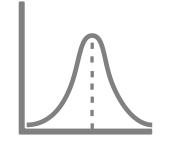
remediate problems with help from *anomaly localization*



not all joint anomalies are marginal anomalies









need to model *spatial associations*





Can undirected graphical models characterize cloud telemetry?

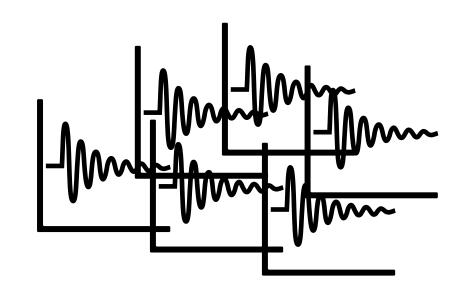


Our question

Can undirected graphical models characterize cloud telemetry?

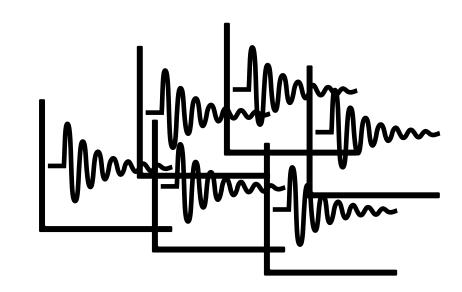
we give a data model and positive preliminary results





unlabeled correlated signals



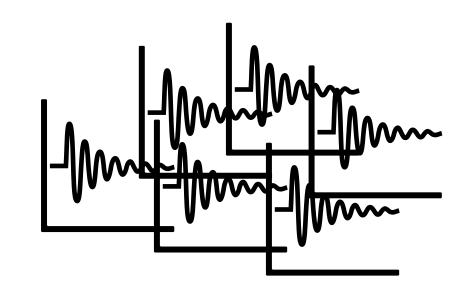




unlabeled correlated signals

arriving in real-time







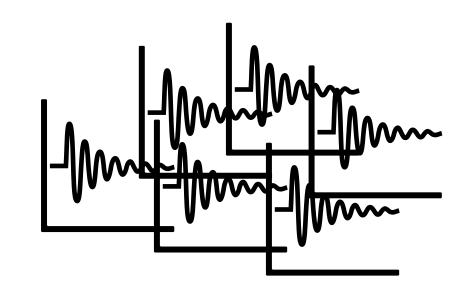
arriving in real-time

X

unlabeled correlated signals

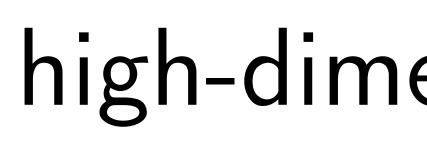
high-dimensional and spatial

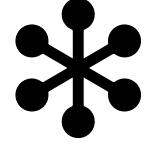


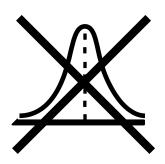




arriving in real-time







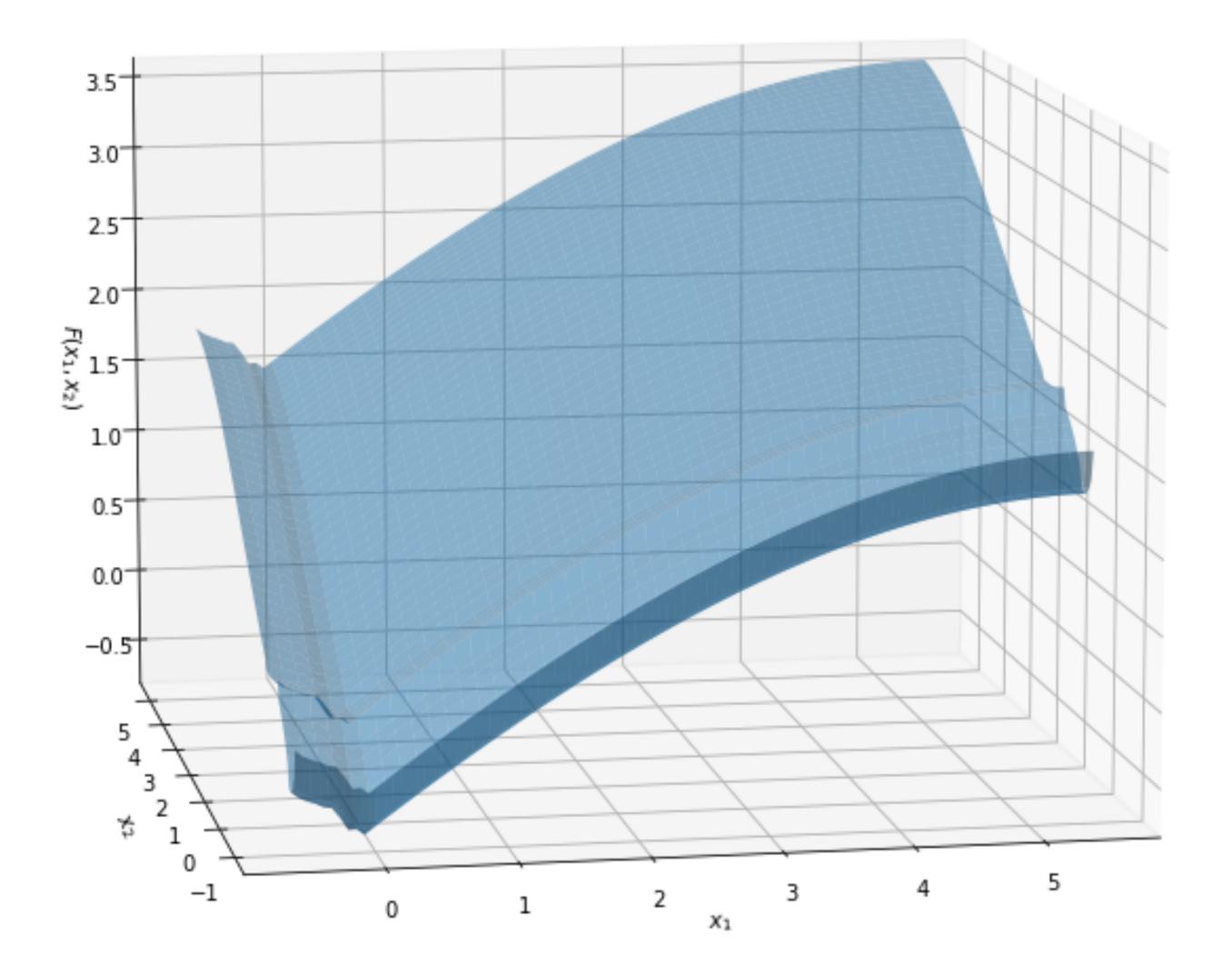
not normally distributed!

unlabeled correlated signals

high-dimensional and spatial

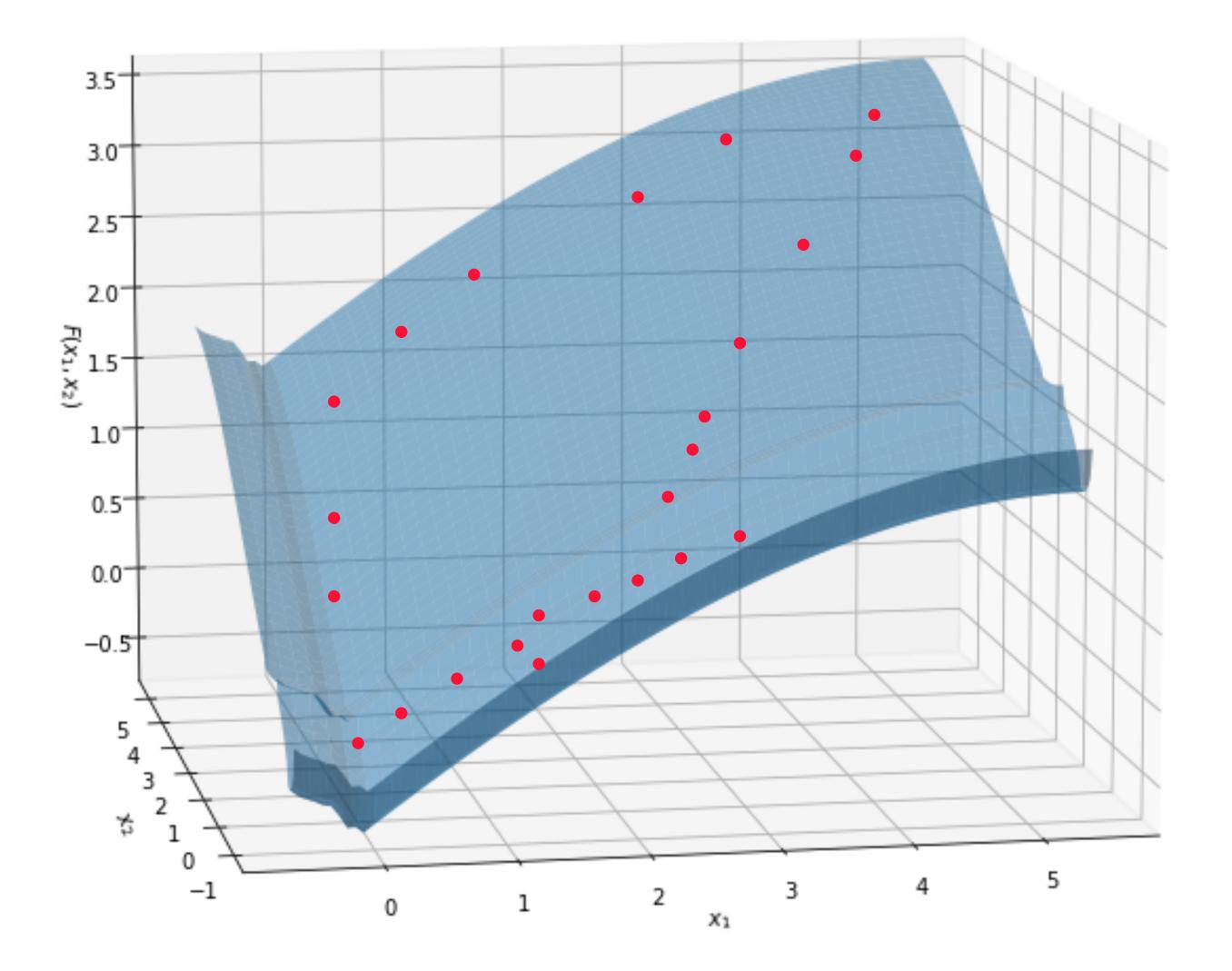


Data model: intution





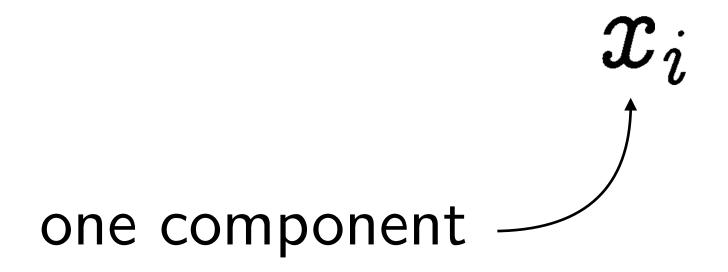
Data model: intuition





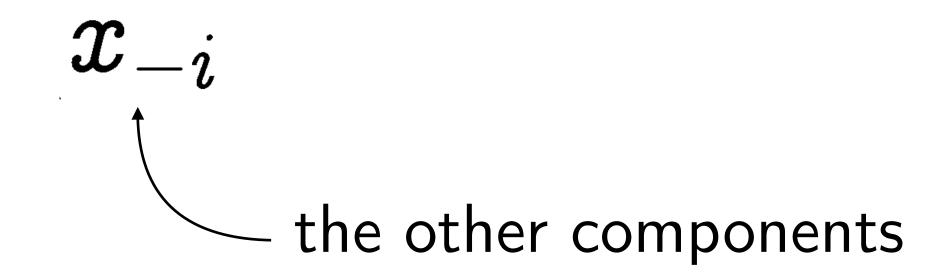








 x_i





assume exists

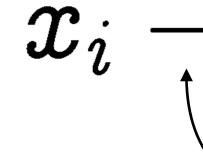


 $x_i pprox f_i(x_{-i})$

can approximately *predict* each component from others







 $x_i - f_i(x_{-i})$ take the difference



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call it the deviation $O_i = x_i$

 $\delta_i = x_i - f_i(x_{-i})$



 $\delta_i = x_i - f_i(x_{-i})$

model deviations as mean-zero Gauss-Markov random field







 $\delta_i = x_i - f_i(x_{-i})$







 $\delta_i = x_i - f_i(x_{-i})$



Data model: anomaly detection and localization

joint anomalies — use a chi-squared test on vector of deviations

 $\delta_i = x_i - f_i(x_{-i})$



Data model: anomaly detection and localization

individual anomalies — chi-squared test on conditional distribution

 $\delta_i = x_i - f_i(x_{-i})$



Data model: anomaly detection and localization

 $\delta_i = x_i - f_i(x_{-i})$





need predictor parameters $\delta_i = x_i - f_i(x_{-i})$

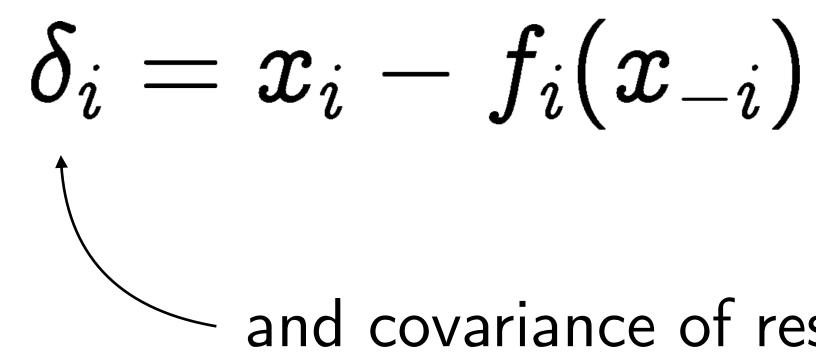


 $\delta_i = x_i - f_i(x_{-i})$

need predictor parameters

and covariance of residuals





estimate by approximate *maximum likelihood*

need predictor parameters

and covariance of residuals



$\delta_i = x_i - f_i(x_{-i})$

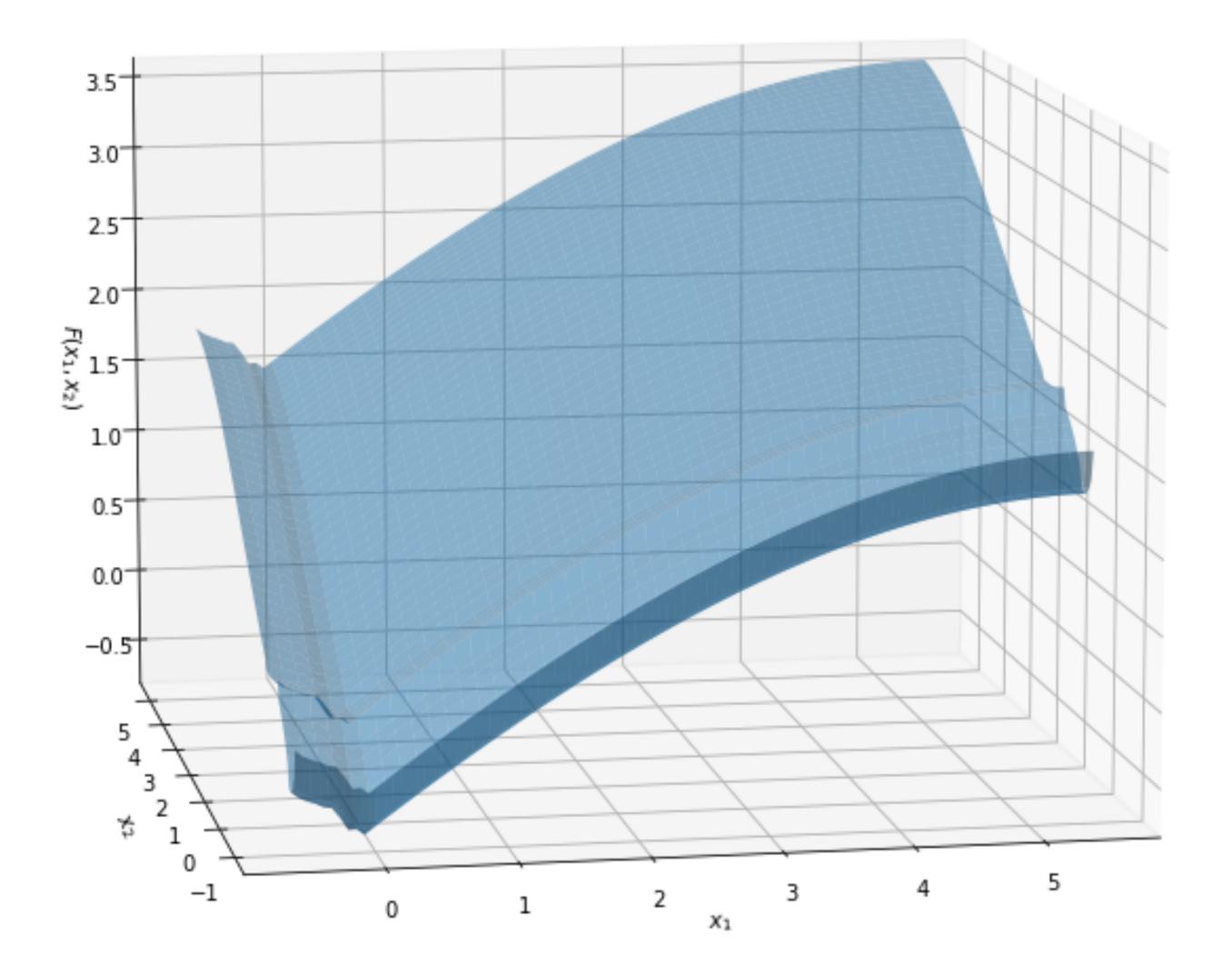
we solve two *convex programs*, which is fast

need predictor parameters

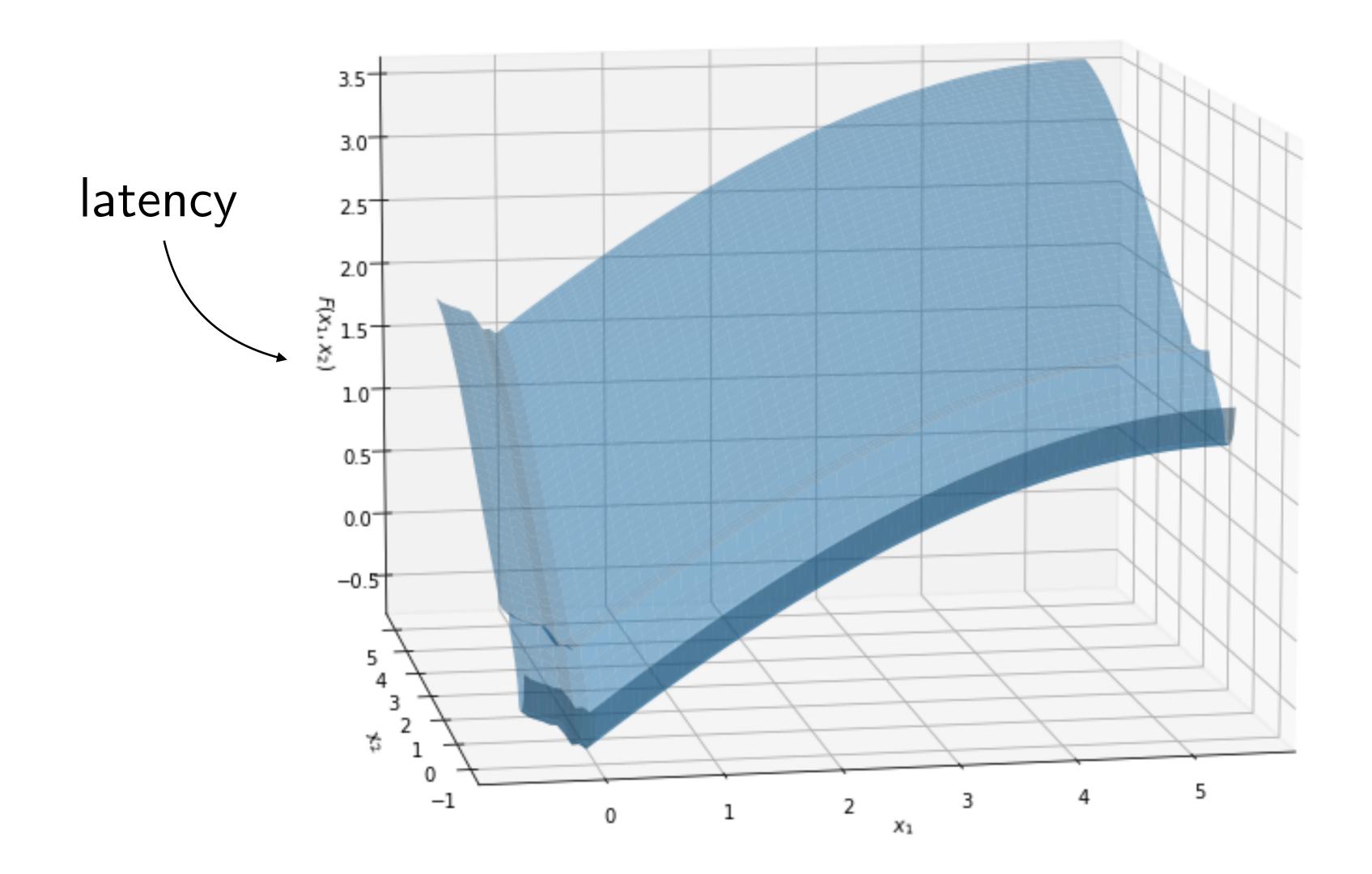
and covariance of residuals



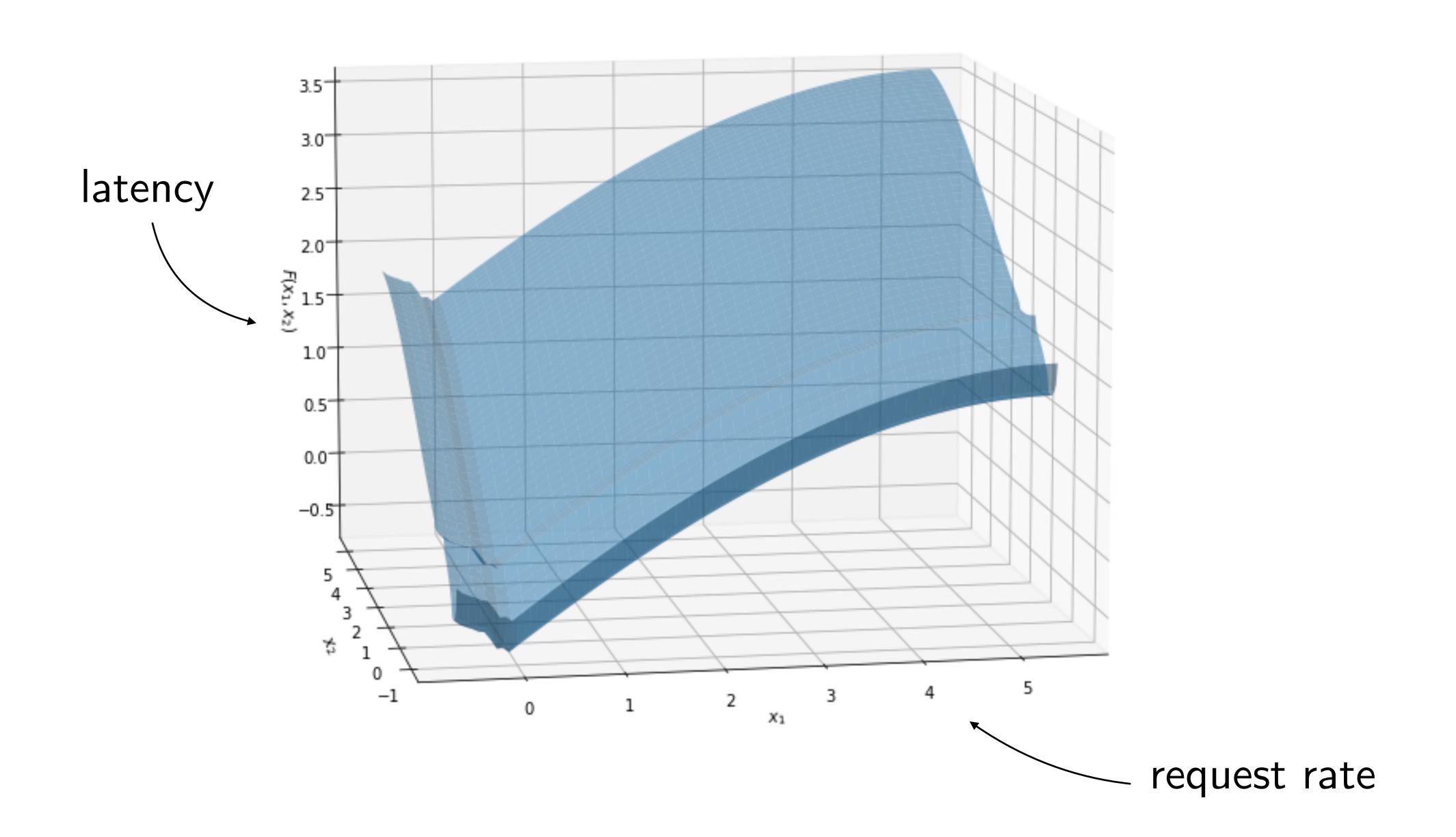




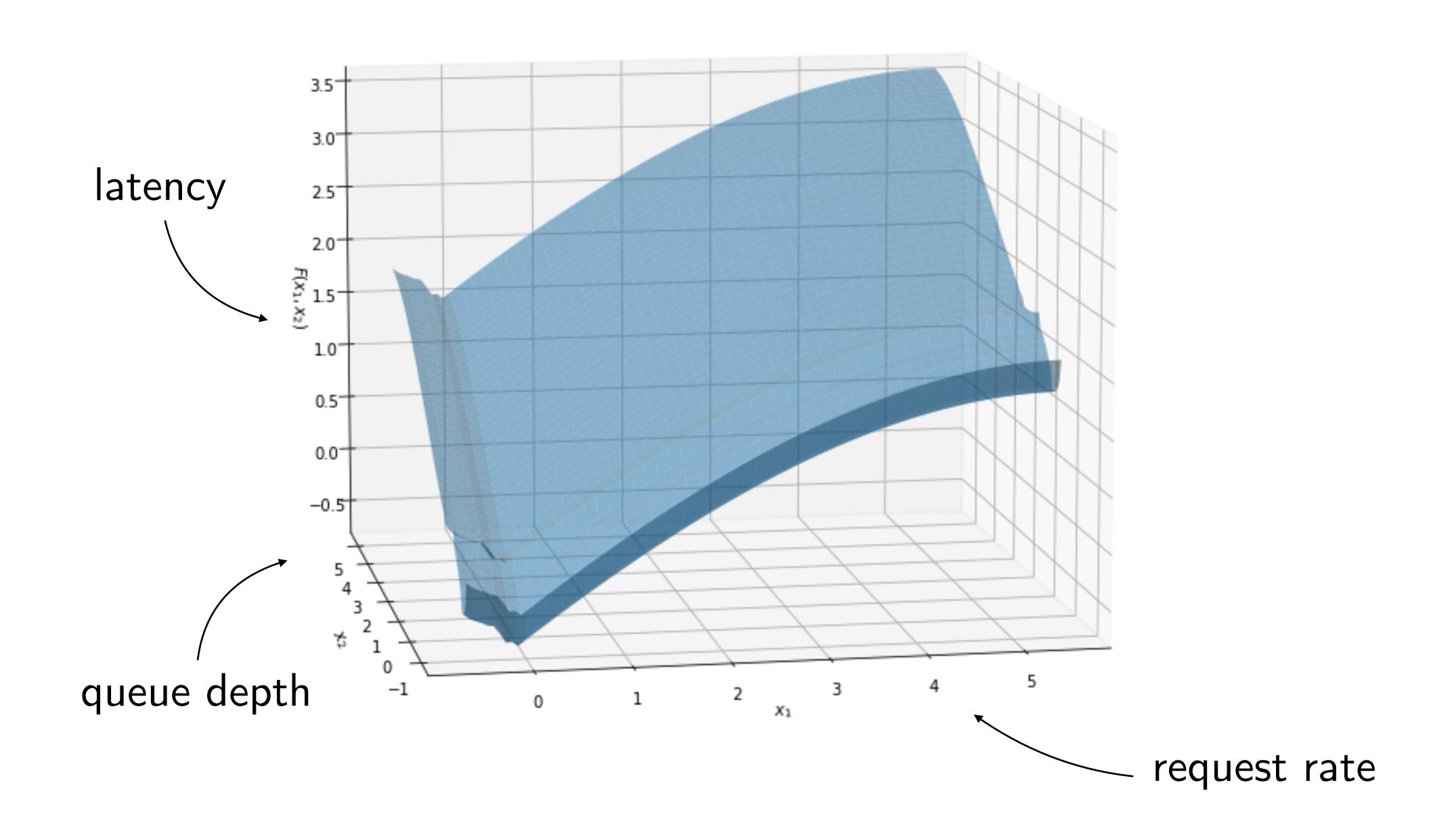




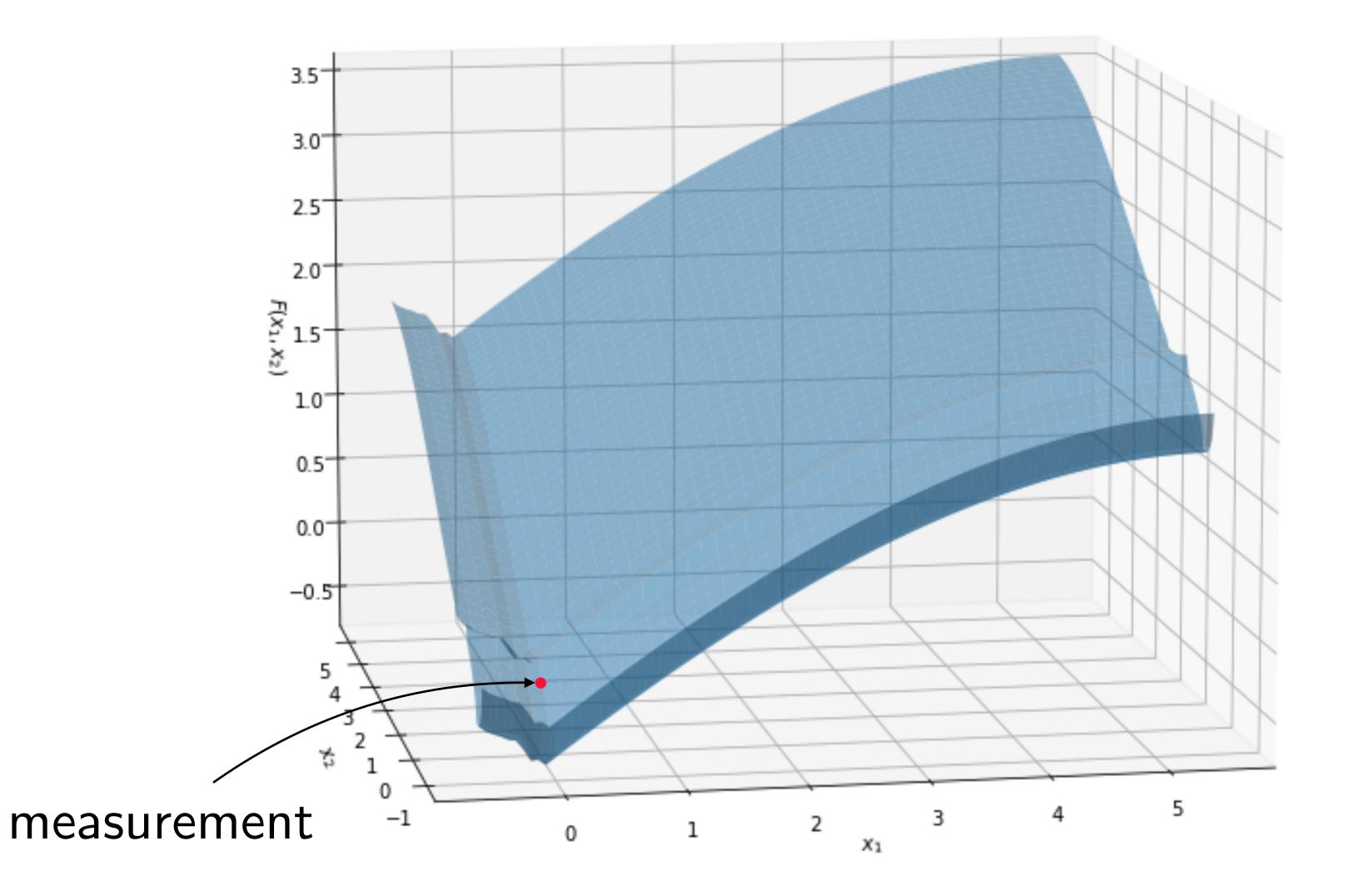




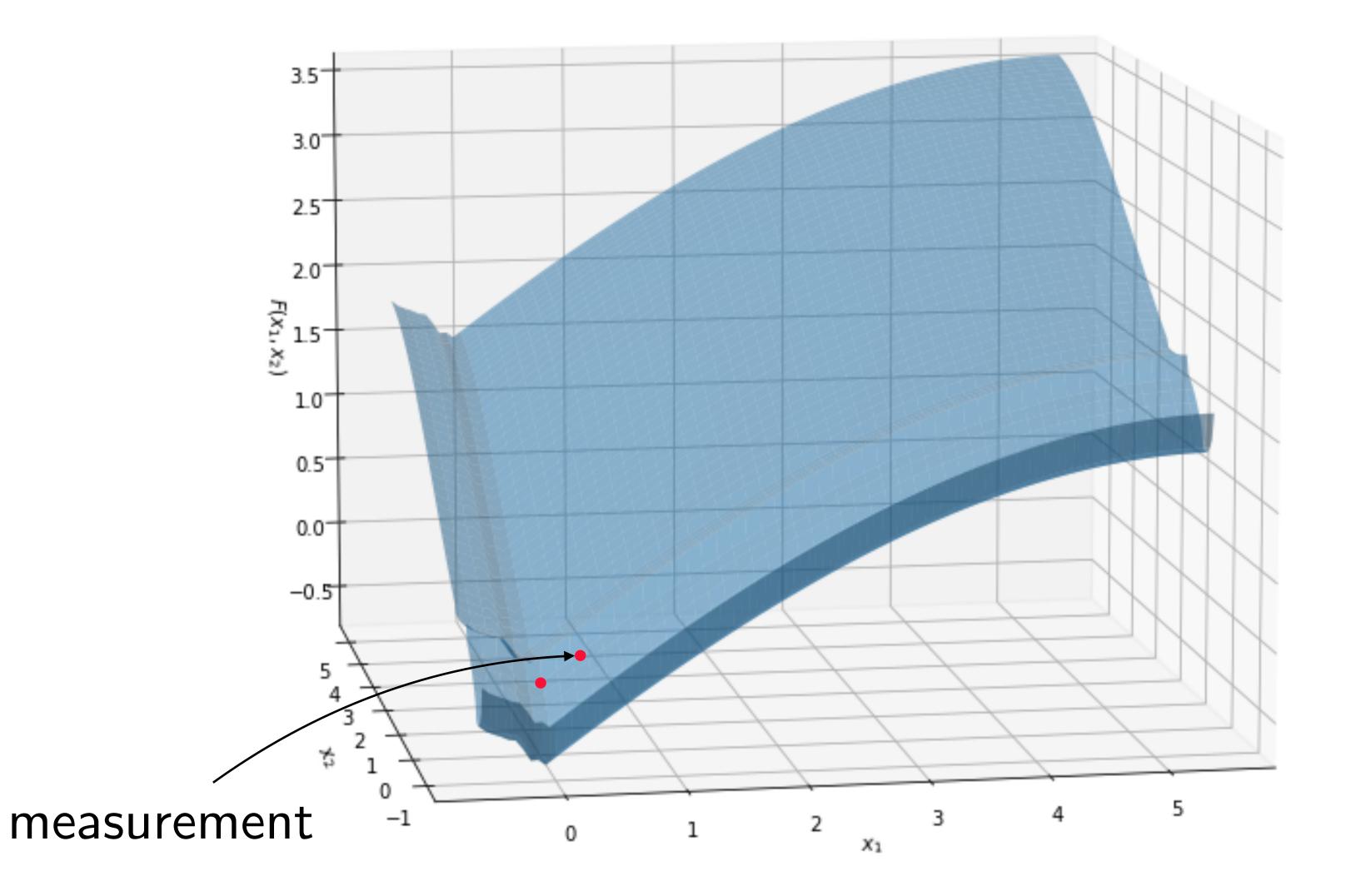




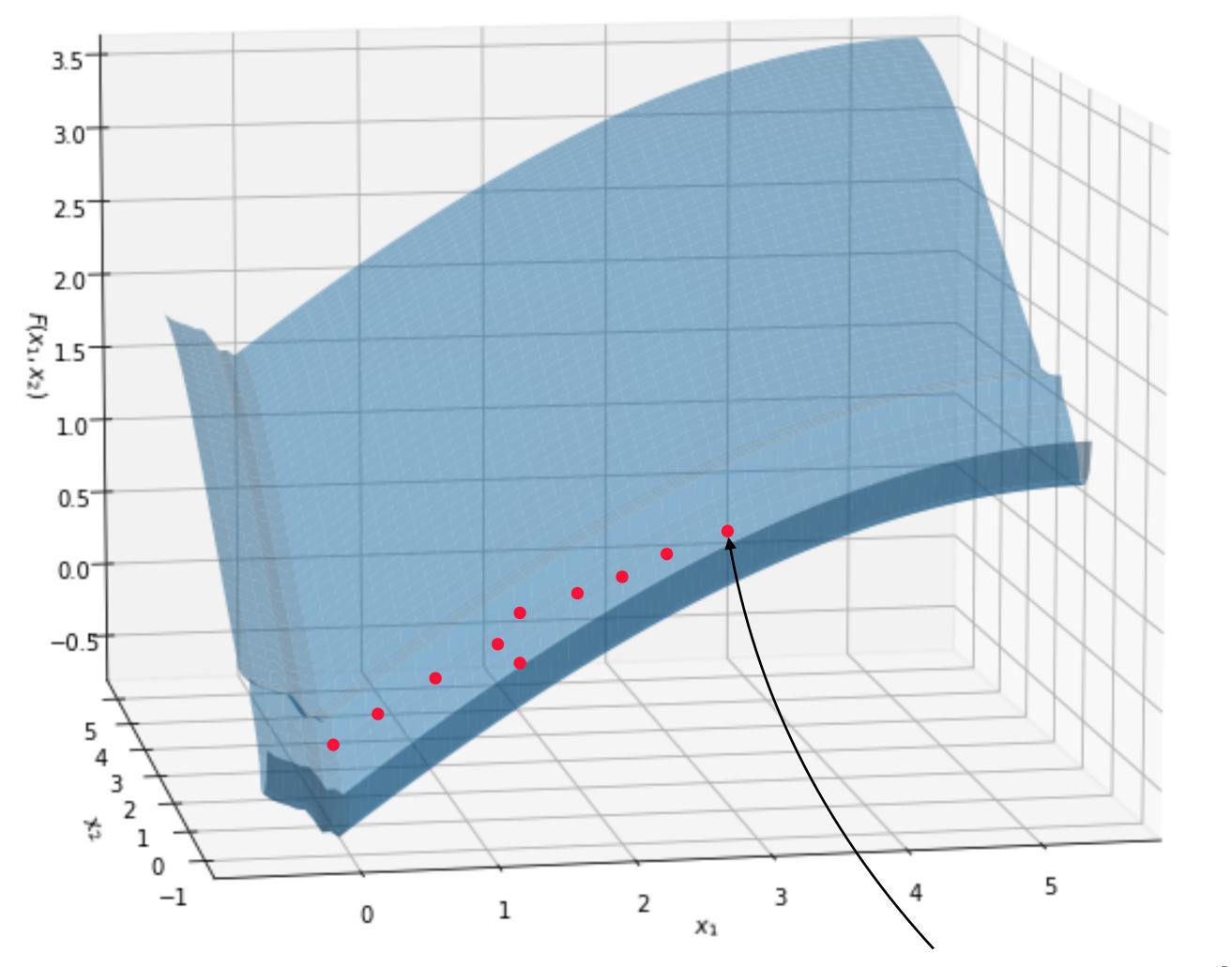






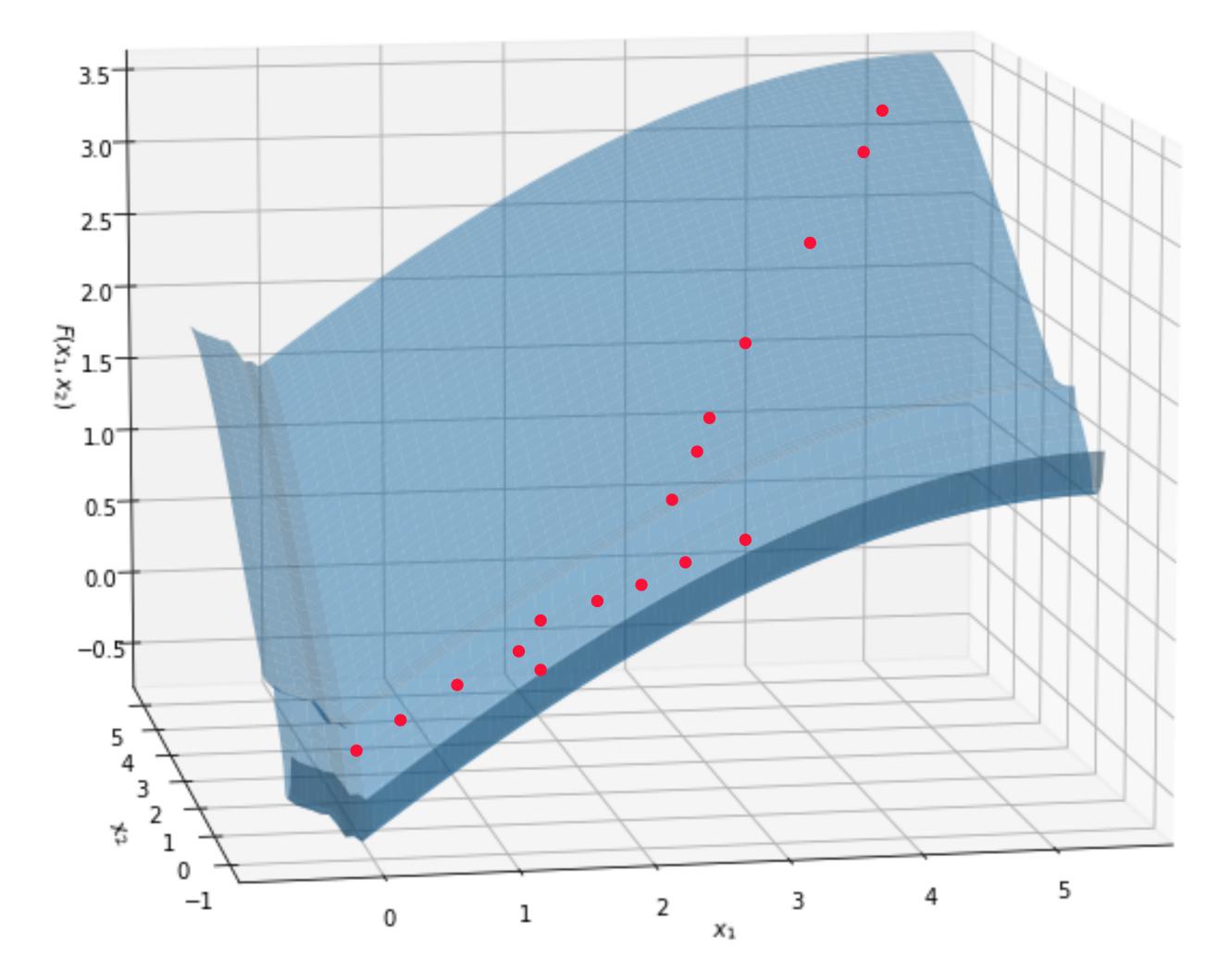






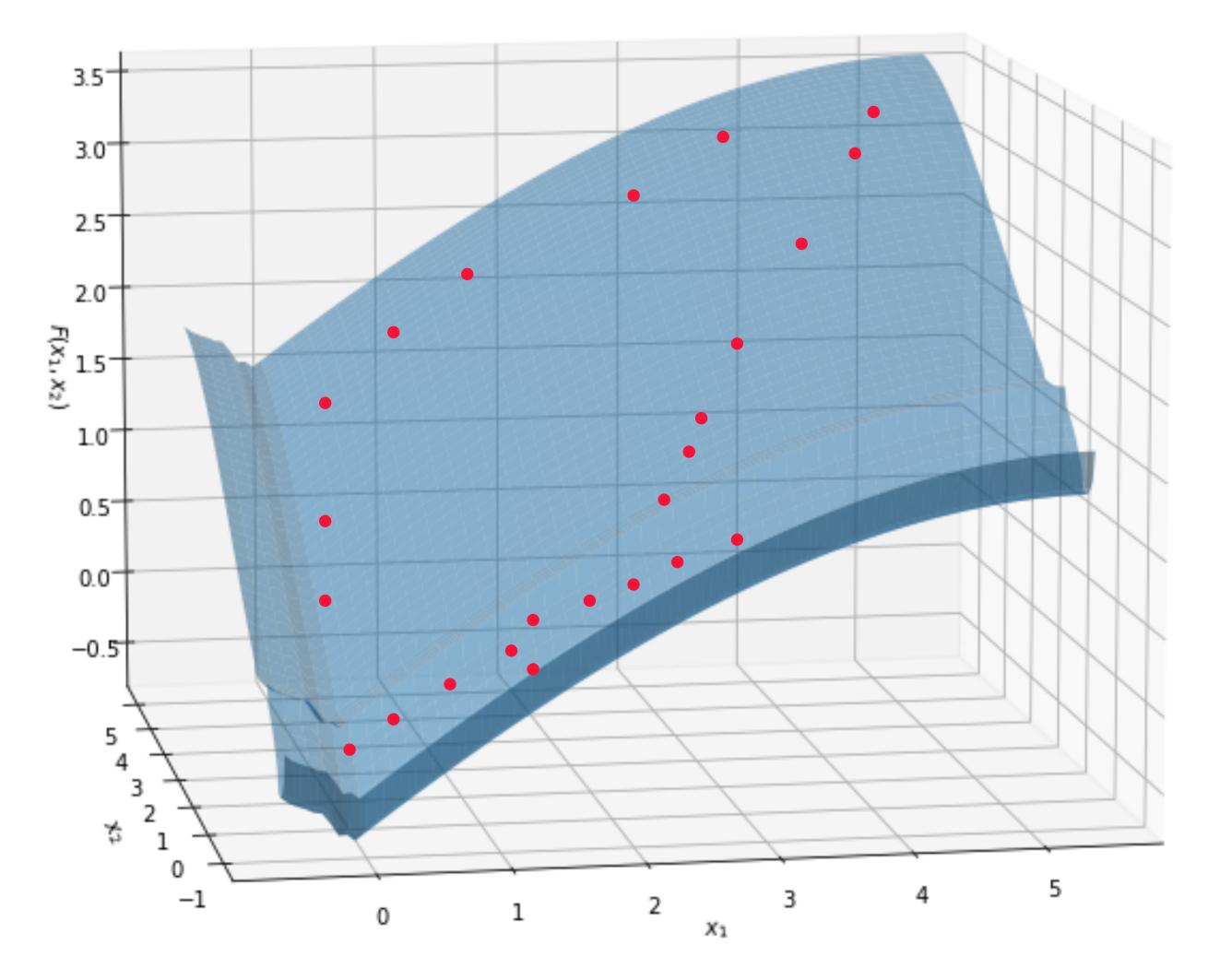
request rate increases so too does latency





request rate increases so too does queue

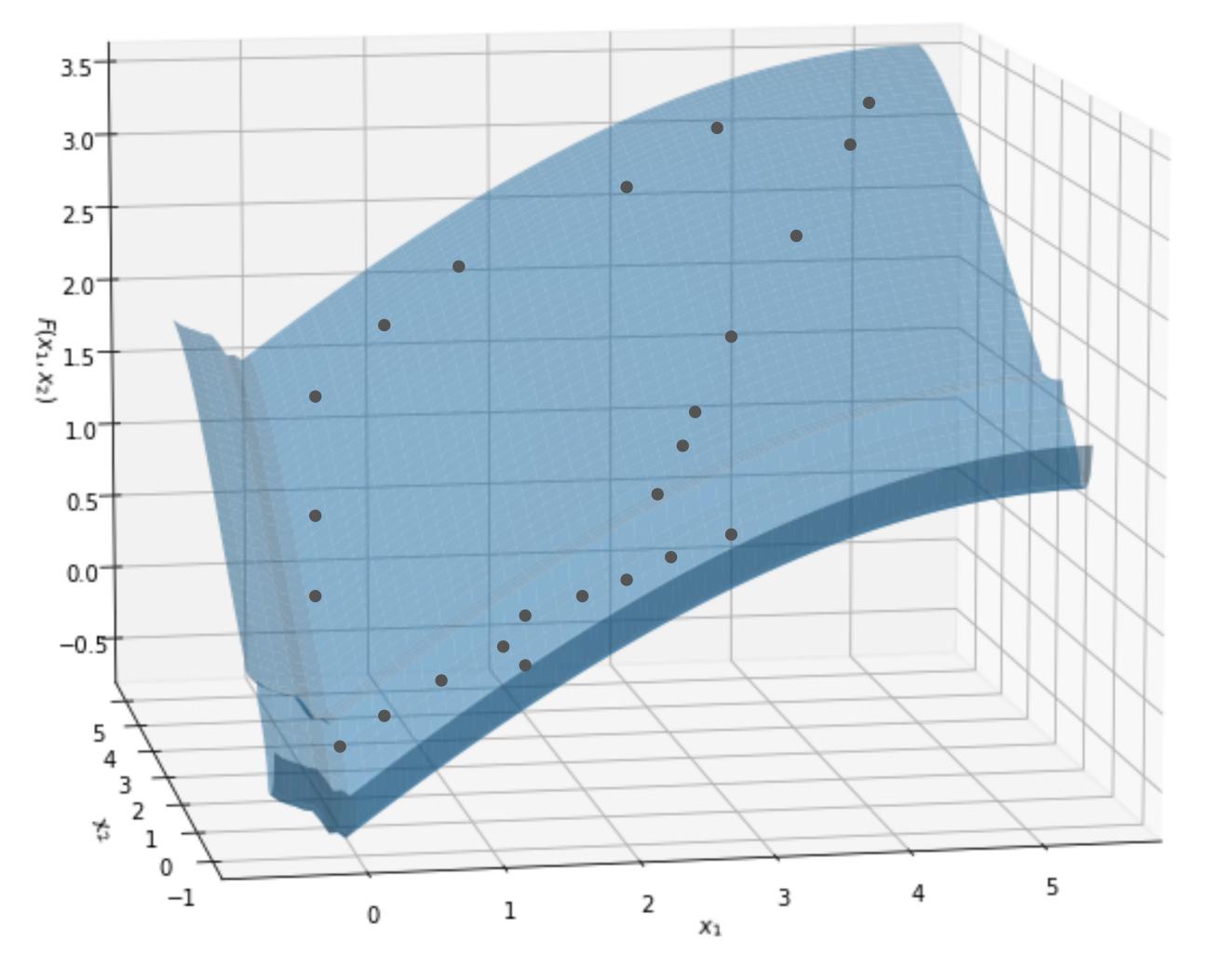




system sheds load



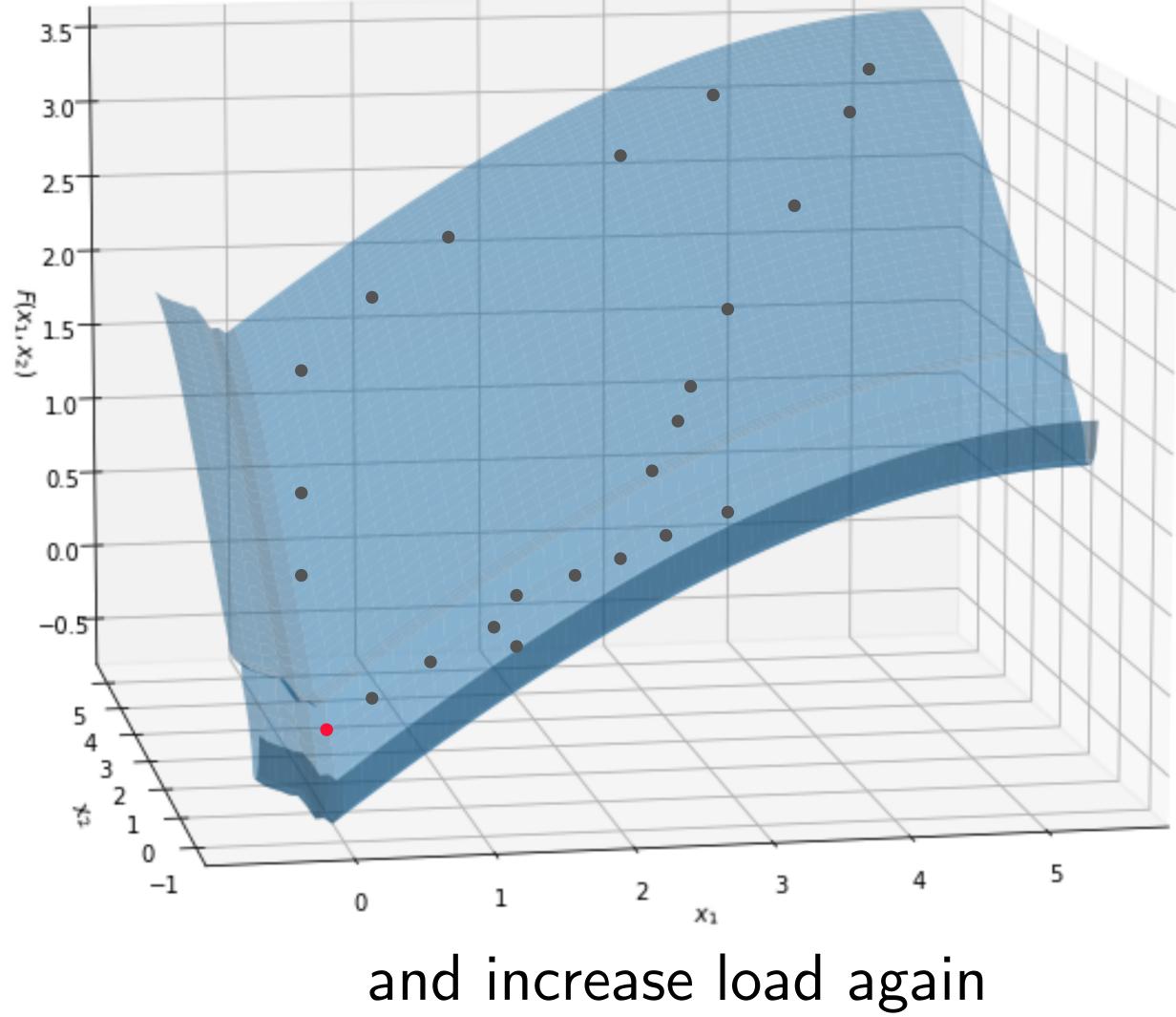
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but suppose we (poorly) change configuration

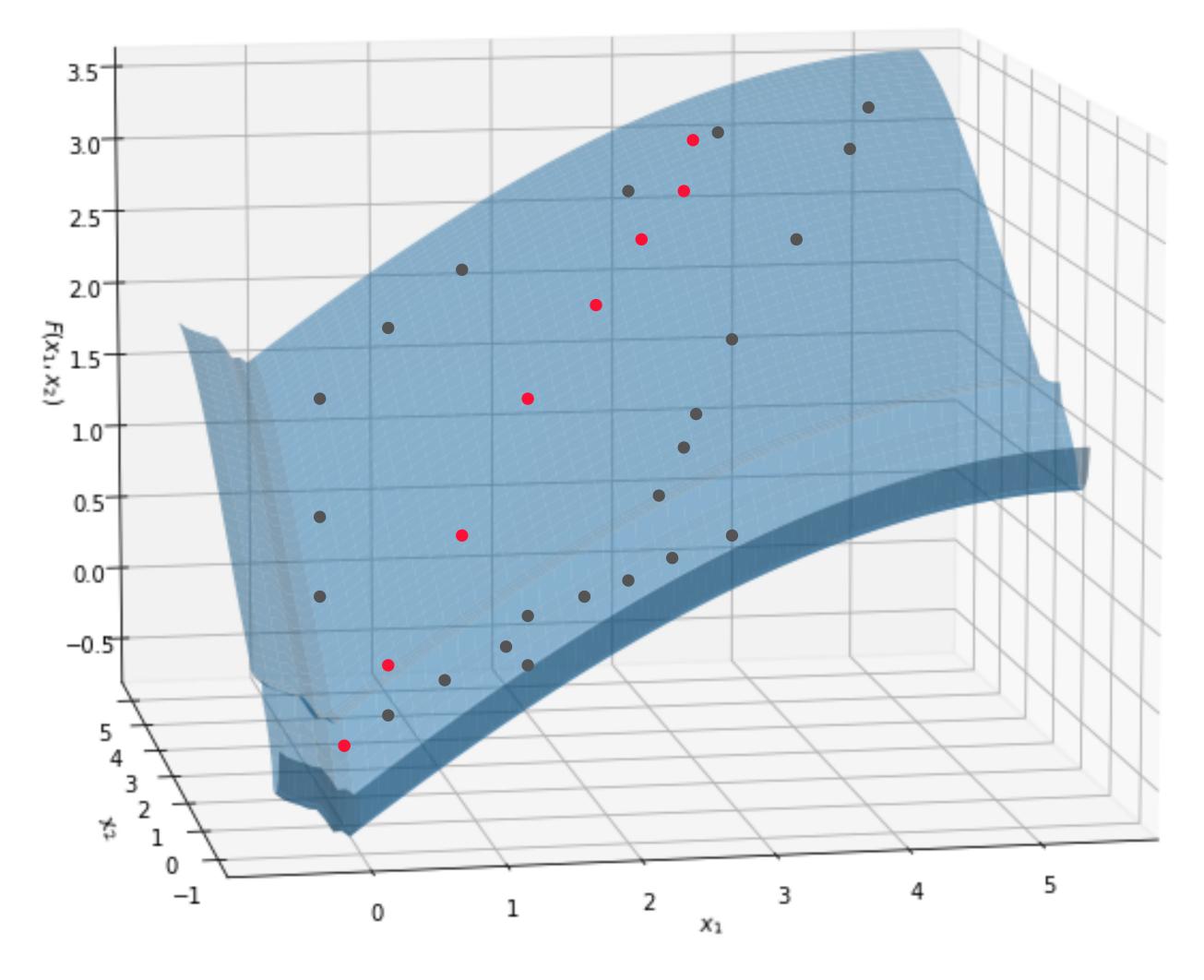


Model interpretation





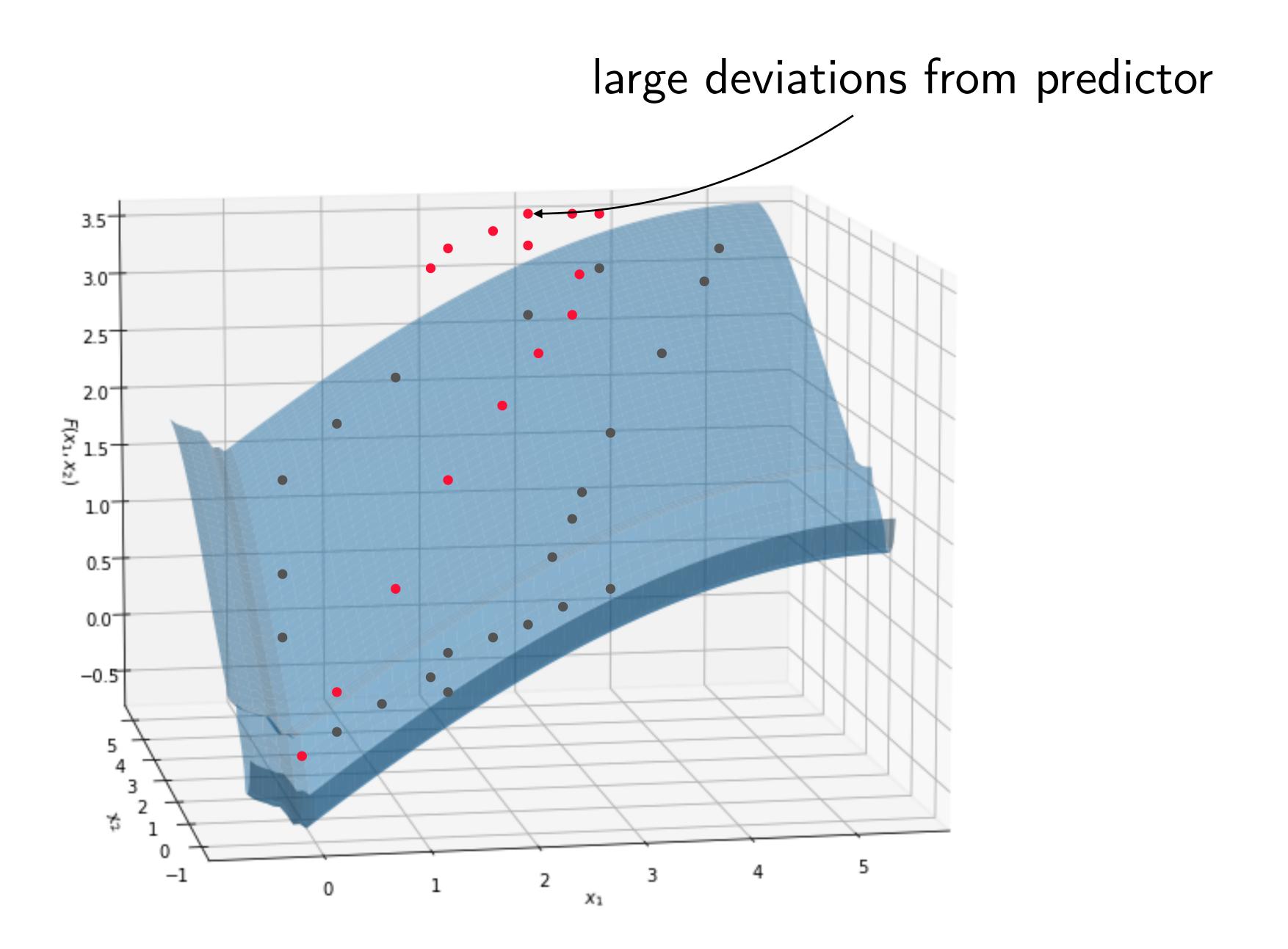
Model interpretation



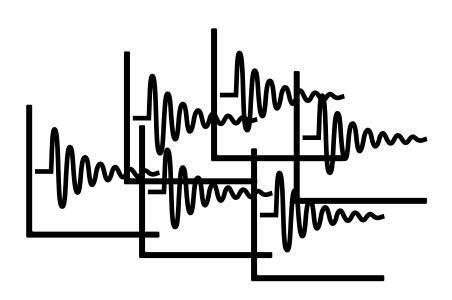
latency and queue length increase



Model interpretation

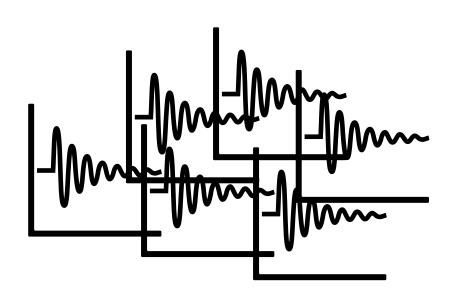






collect recent data



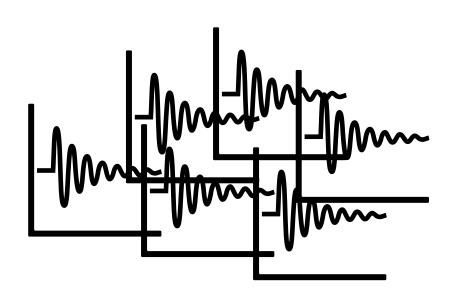


collect recent data

 f_i

build predictors





collect recent data

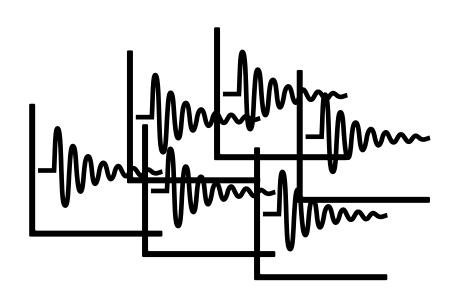


δ

build predictors

estimate covariance





collect recent data build predictors

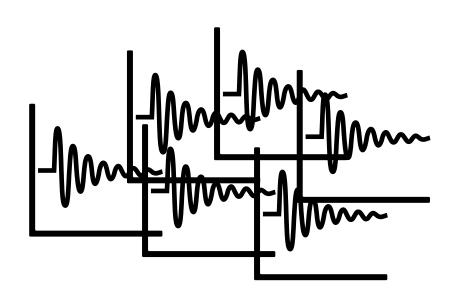
we use general additive models with splines



estimate covariance

δ





collect recent data build predictors

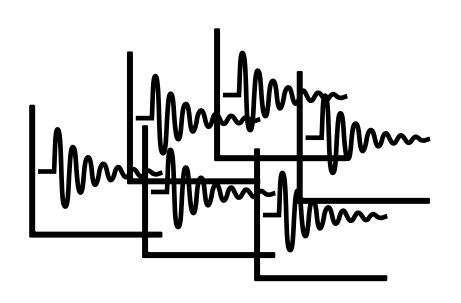
impose *sparsity* since we know which processes communicate



estimate covariance

 δ





collect recent data build predictors

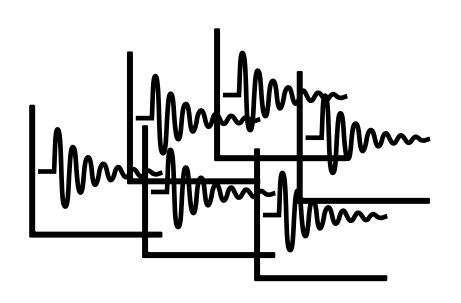
impose *conditional independence* on deviation covariance



estimate covariance

δ





collect recent data build predictors

impose *conditional independence* on deviation covariance

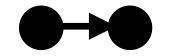


estimate covariance

δ



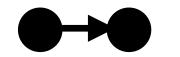
Numerical experiments



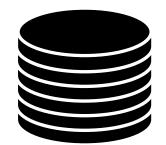
synthetic two-process model



Numerical experiments



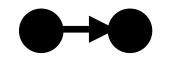
synthetic two-process model



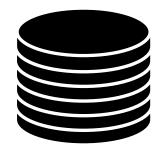
mongo database instance



Numerical experiments



synthetic two-process model

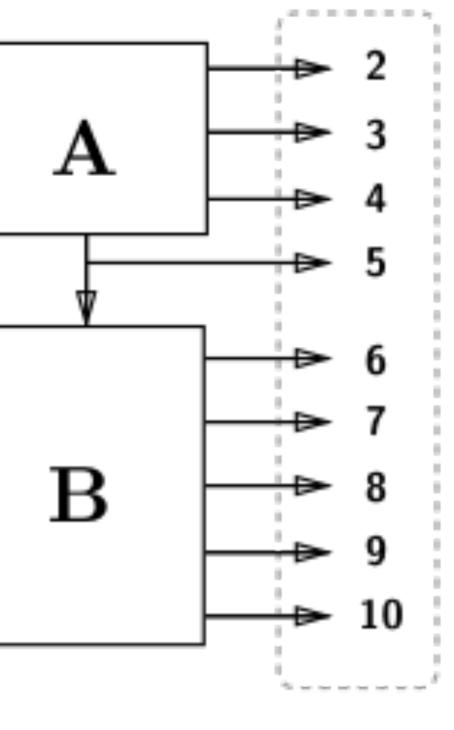


mongo database instance

lacking full-scale cloud experiment; future work







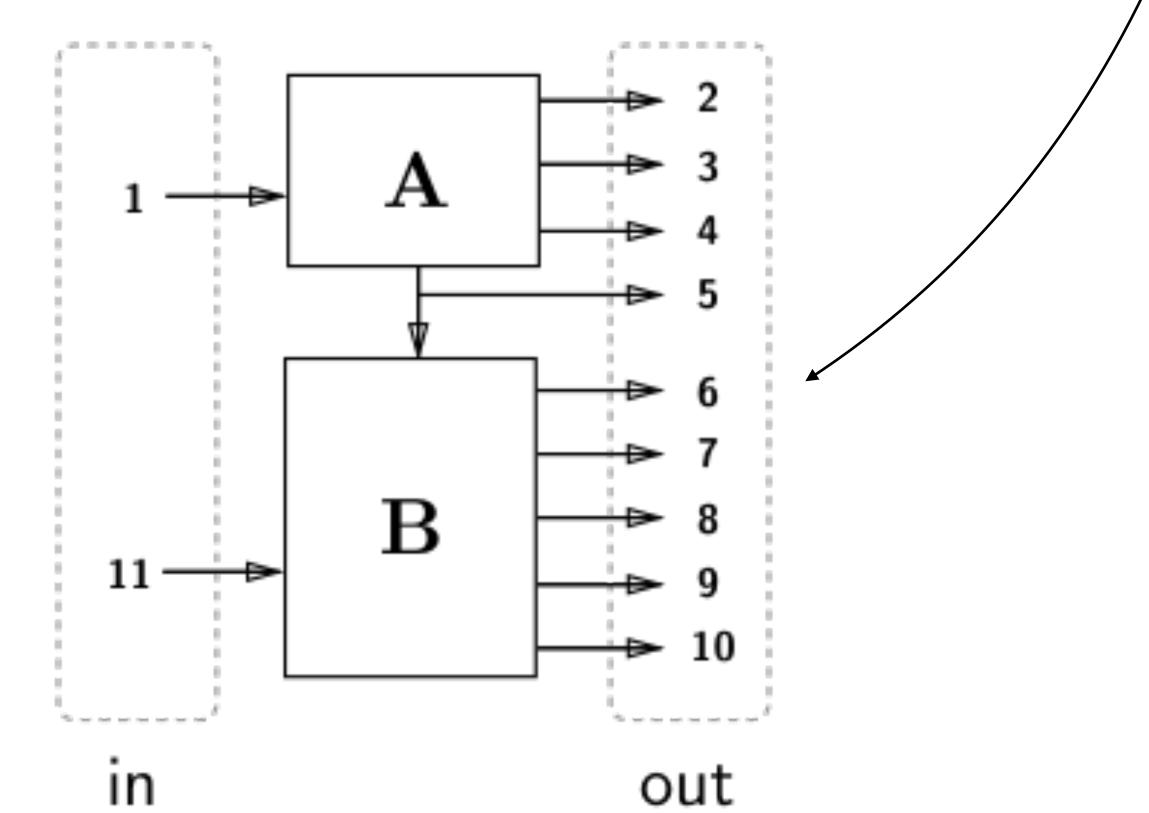
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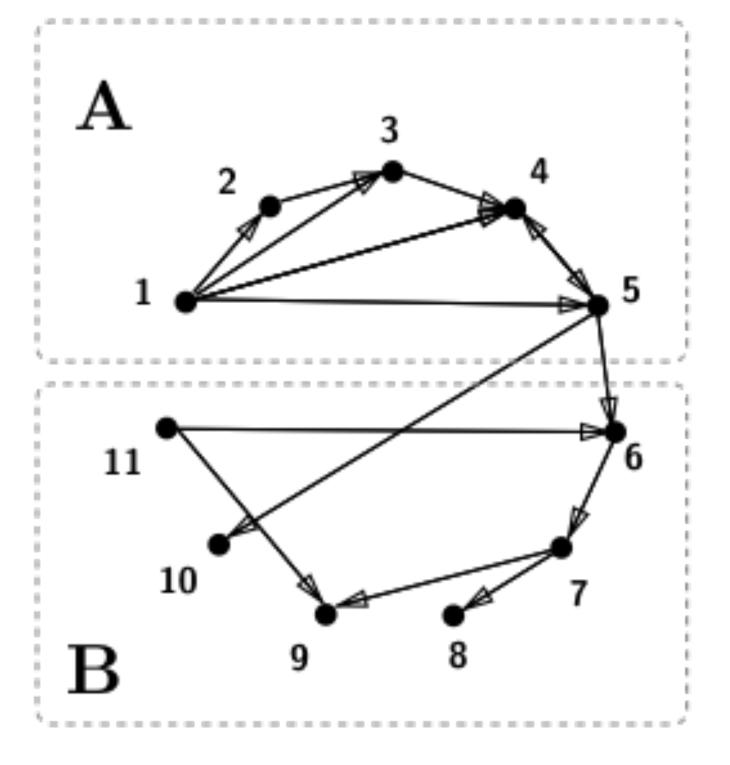
out





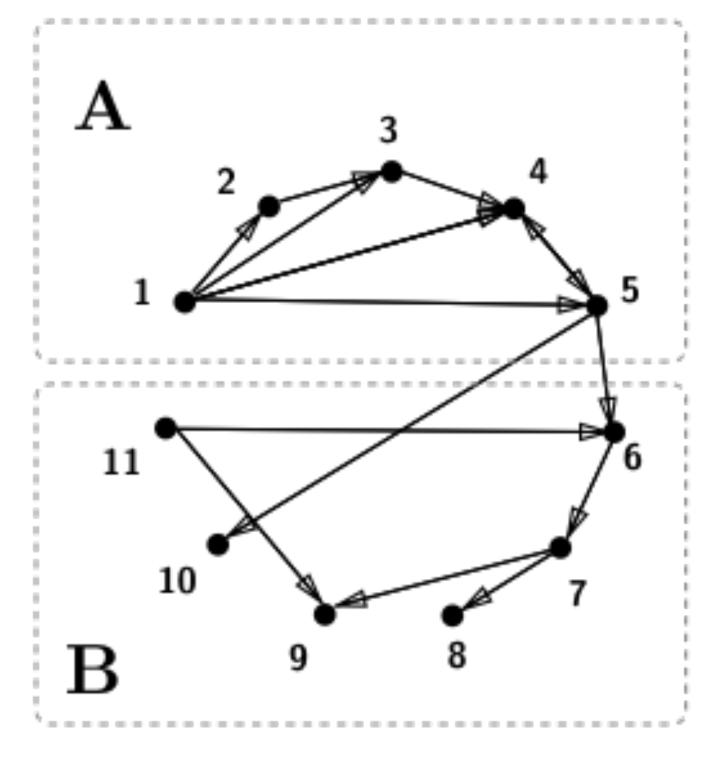
nine output stochastic processes





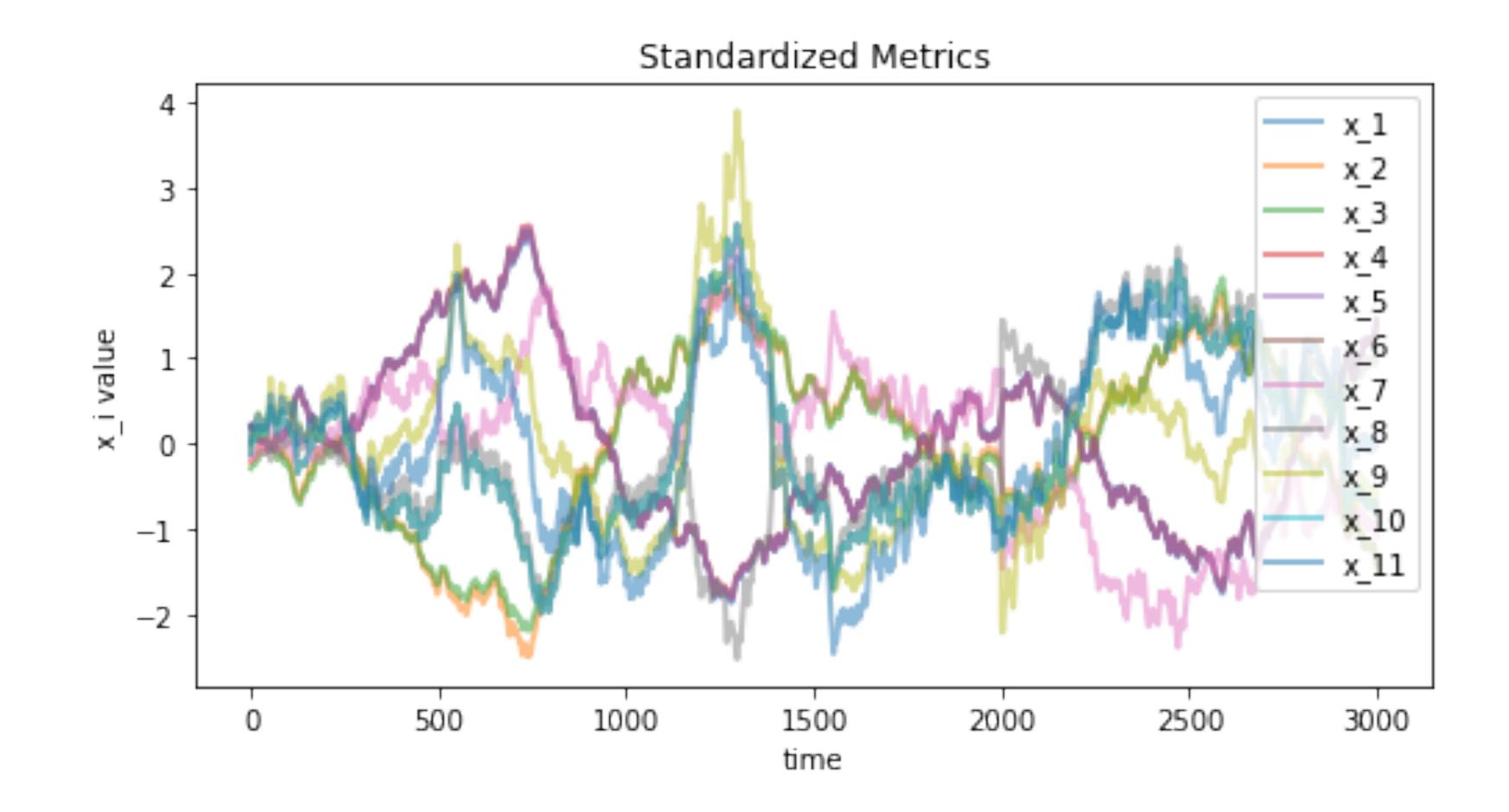
metrics *related functionally* to those with arrows



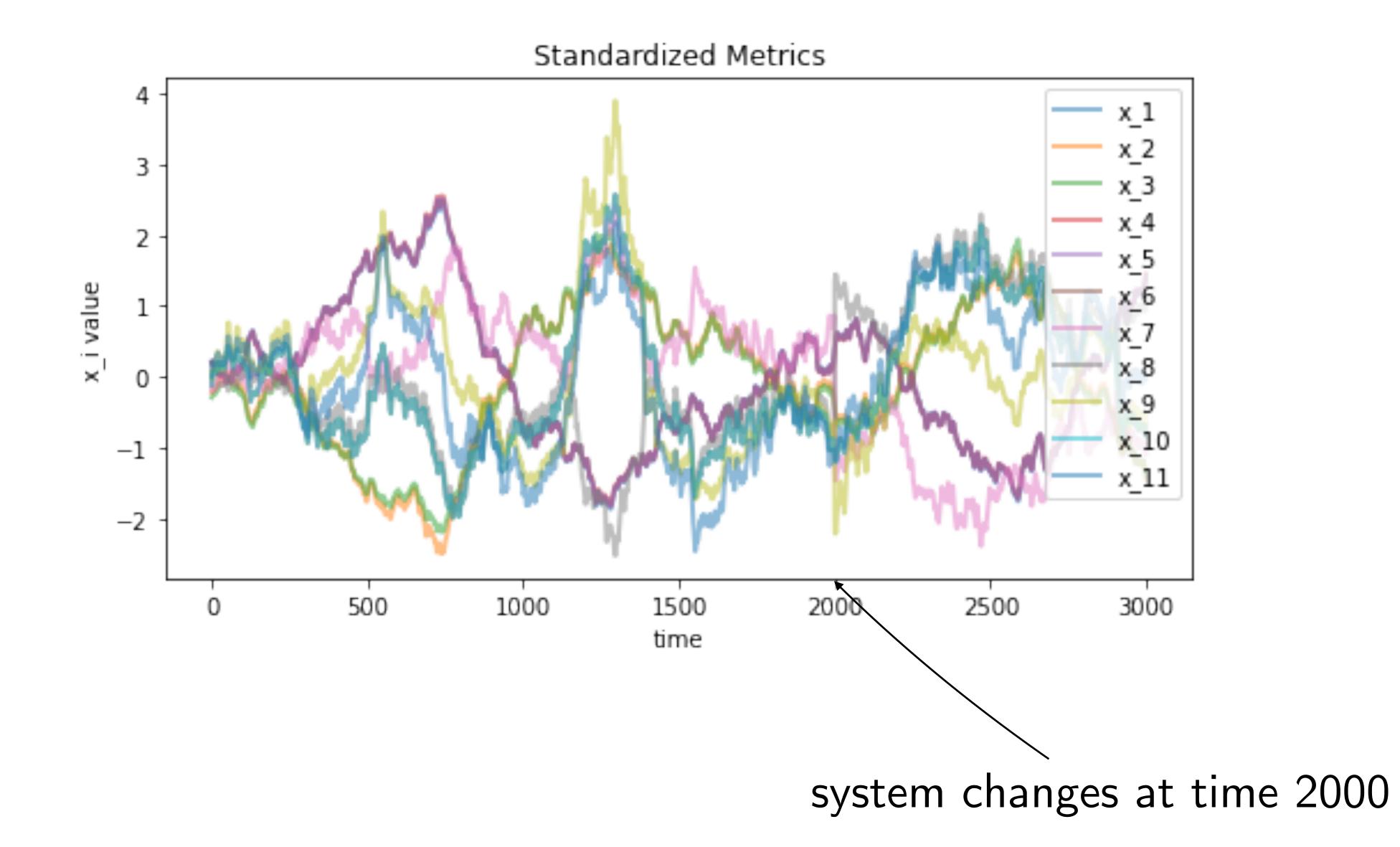


we collect normal data, then change parameter on edge 6 to 7

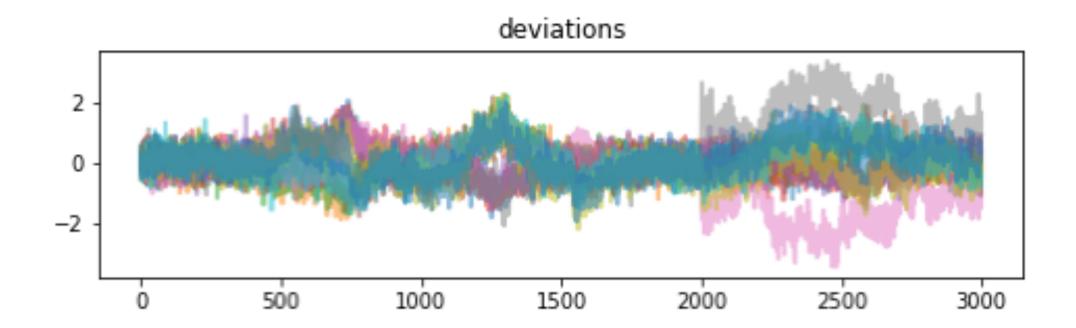






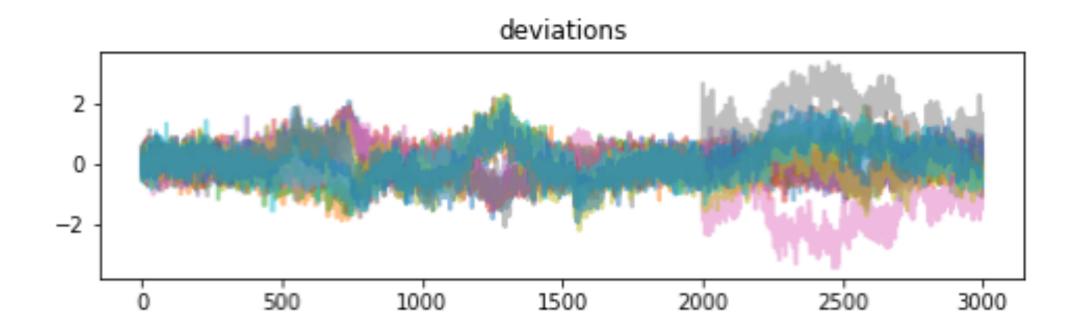




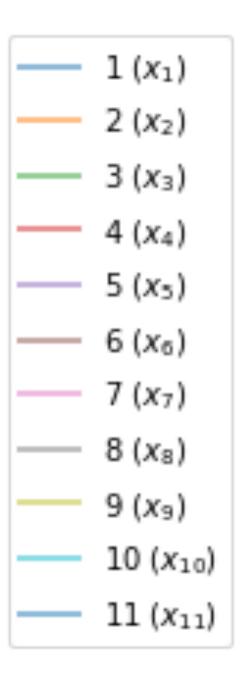




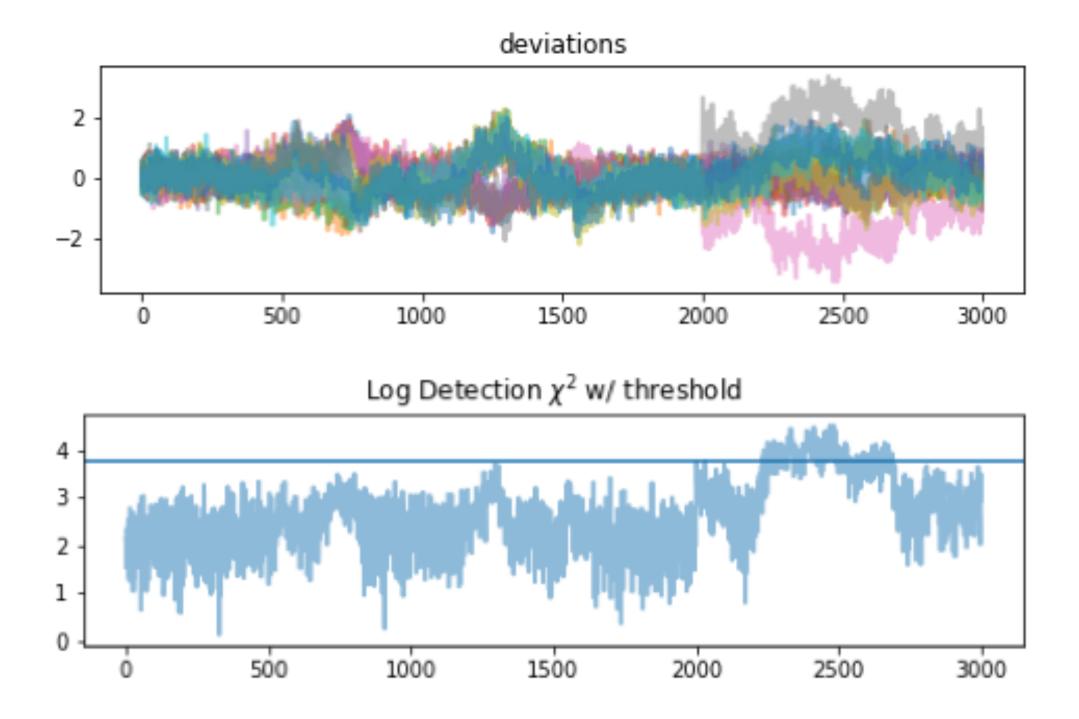




deviations get bigger at time step 2000

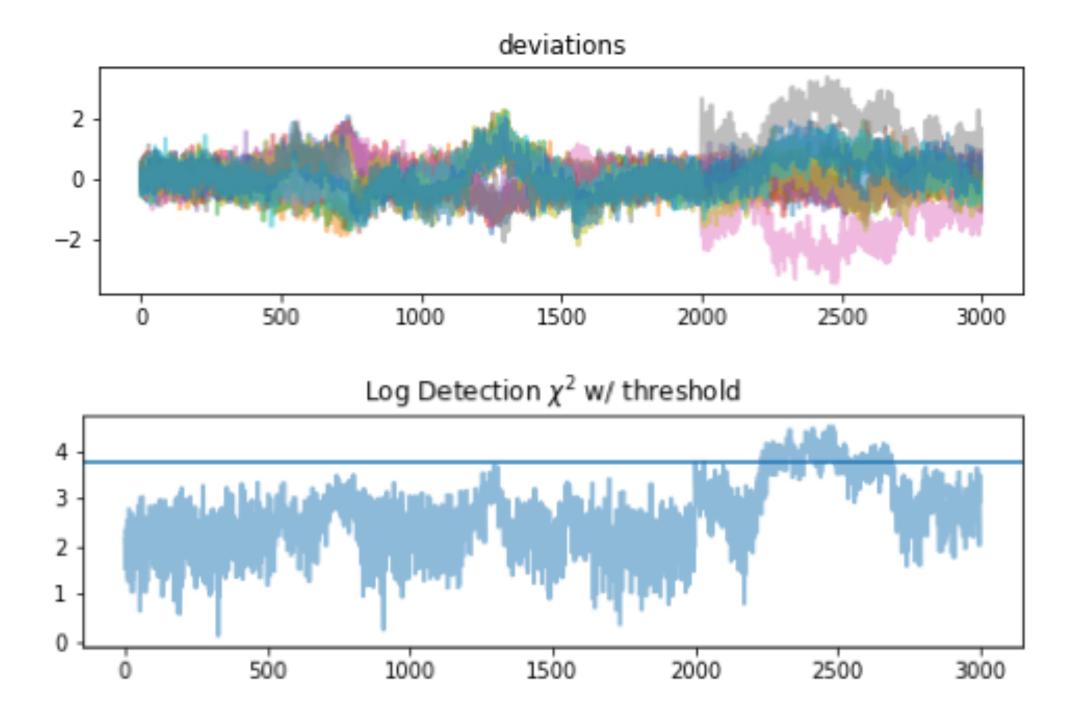




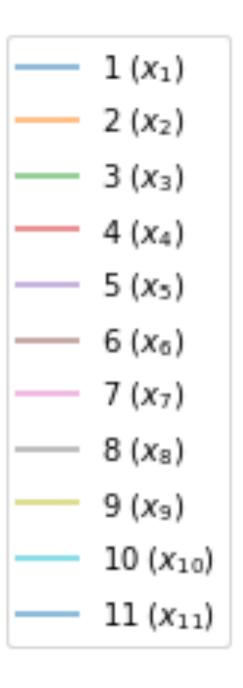




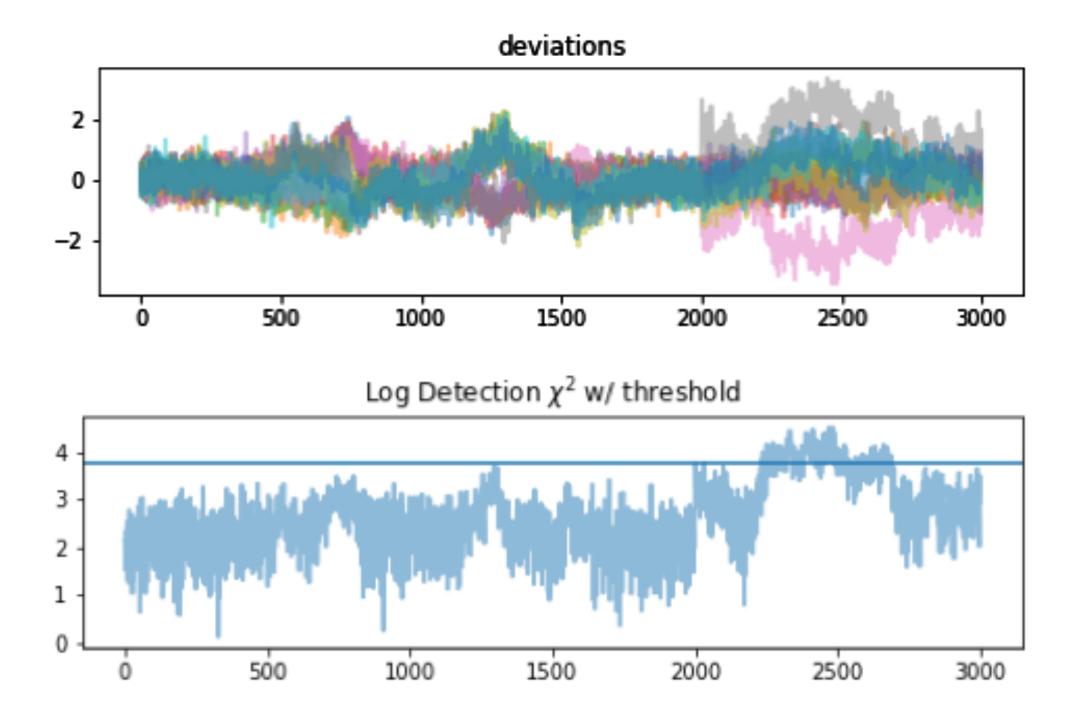


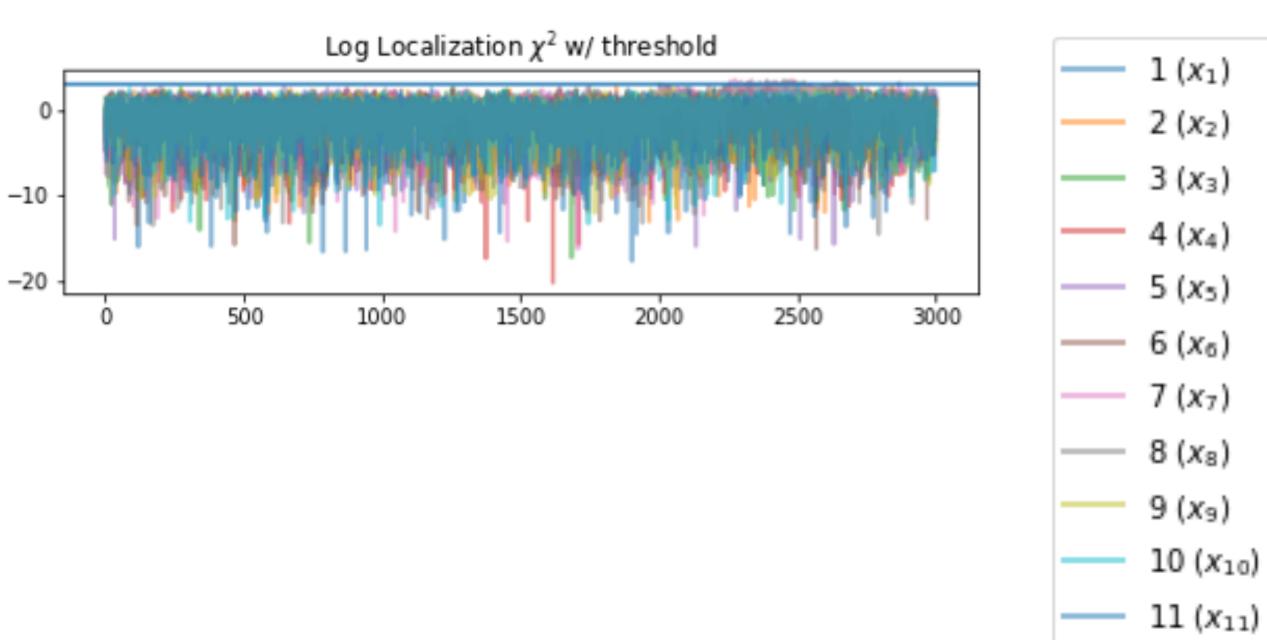


the system begins to look jointly anomalous



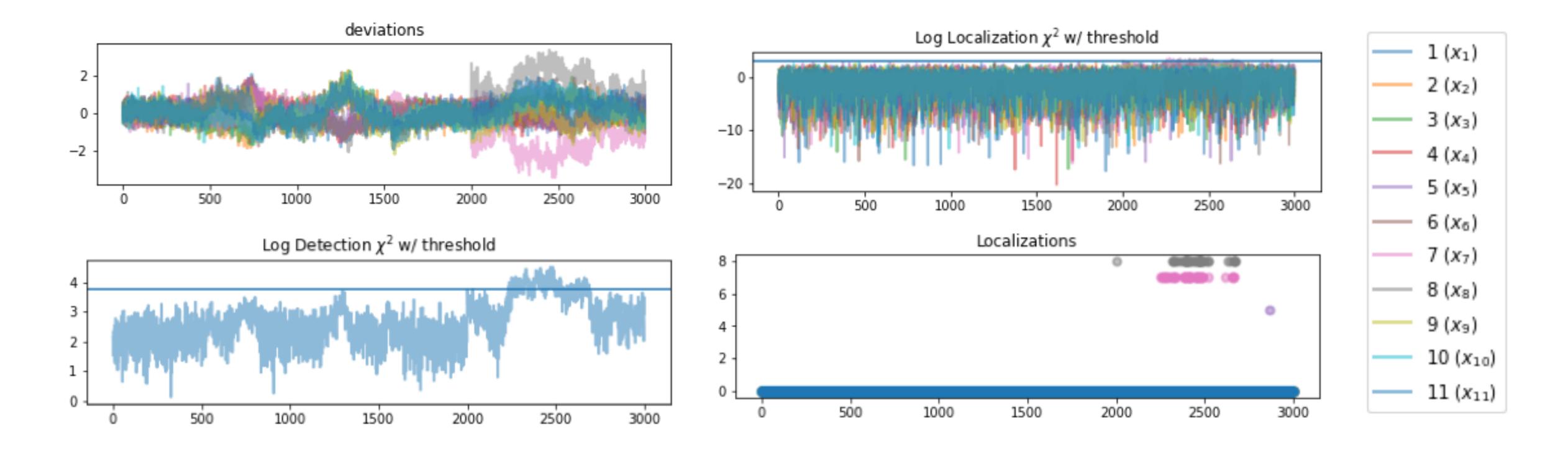








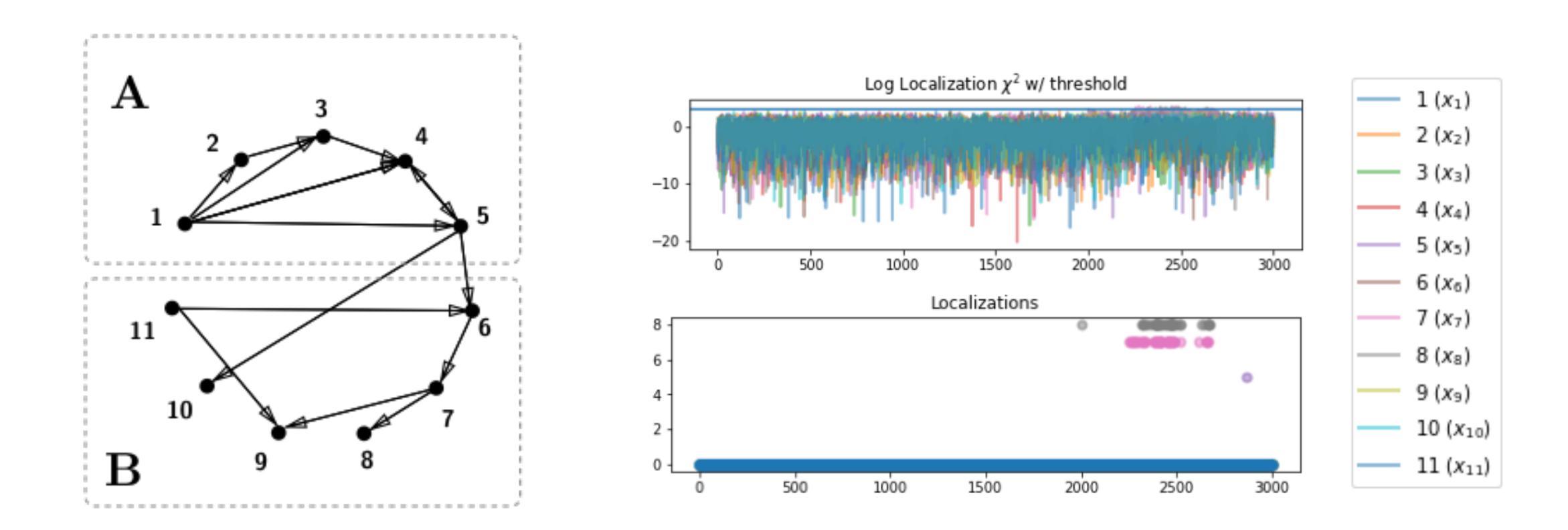




localize to metric 7 and 8

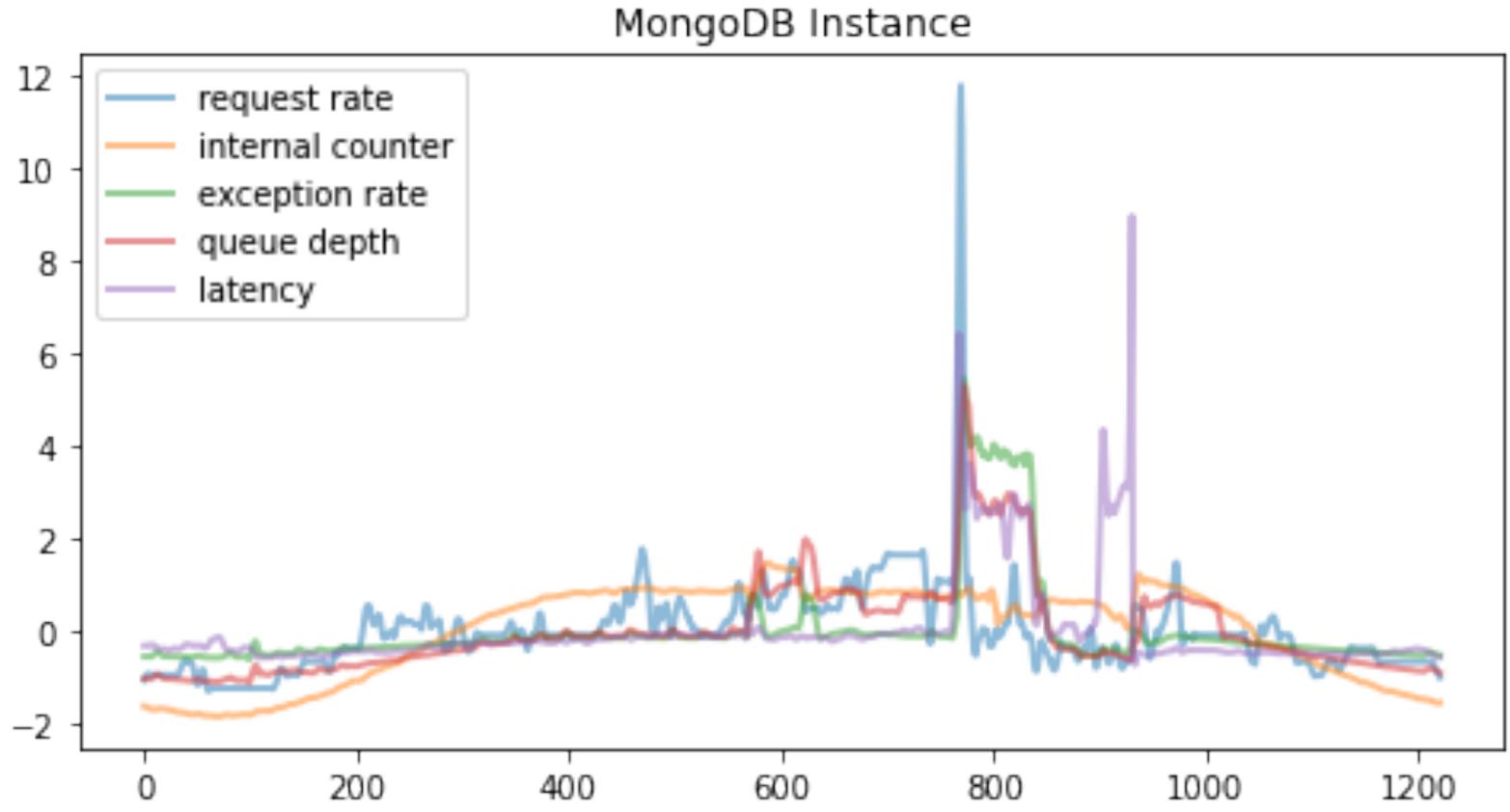


Numerical experiments: synthetic two-process environment

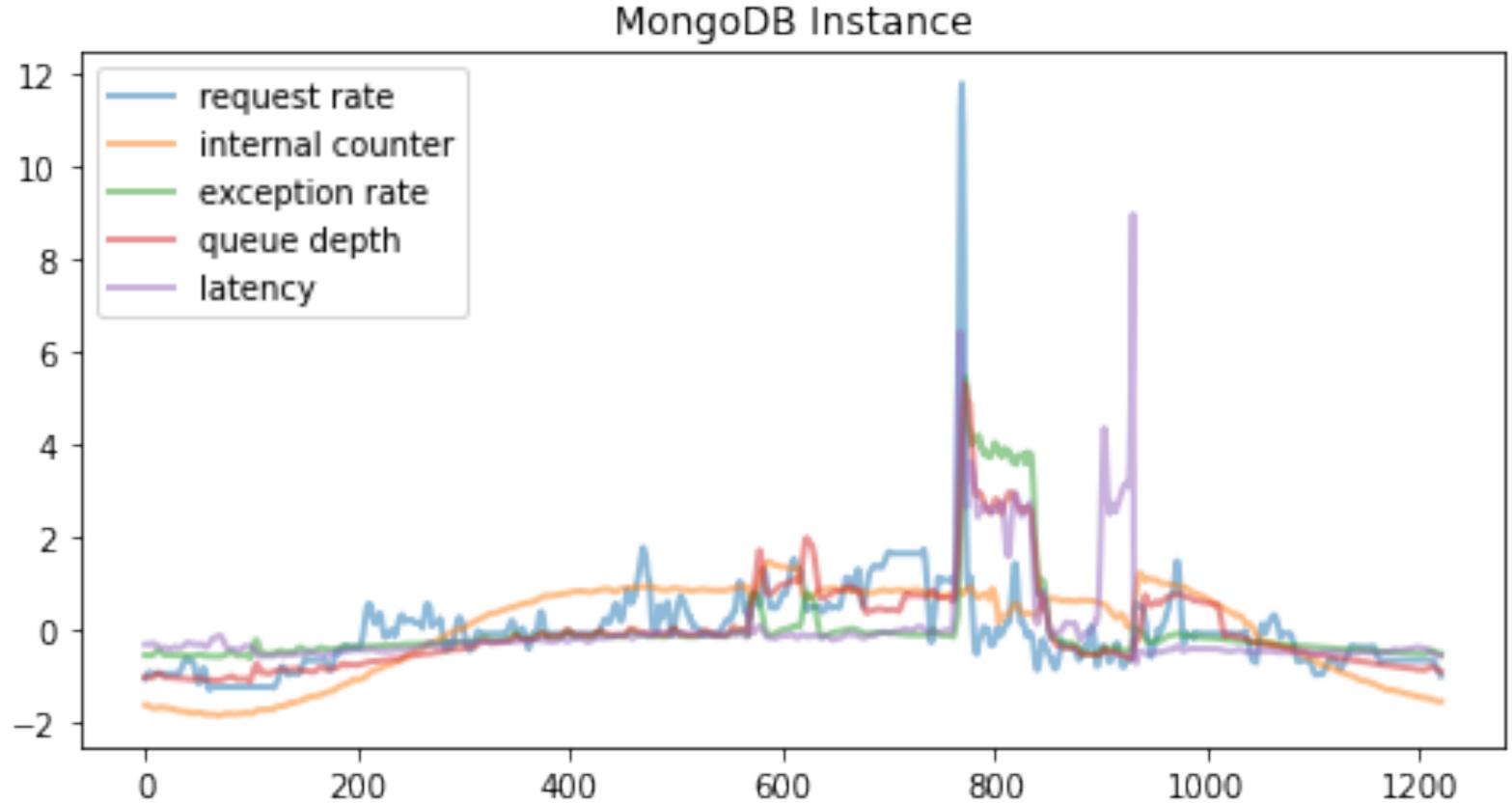


recall we changed 7, and 7 affects 8



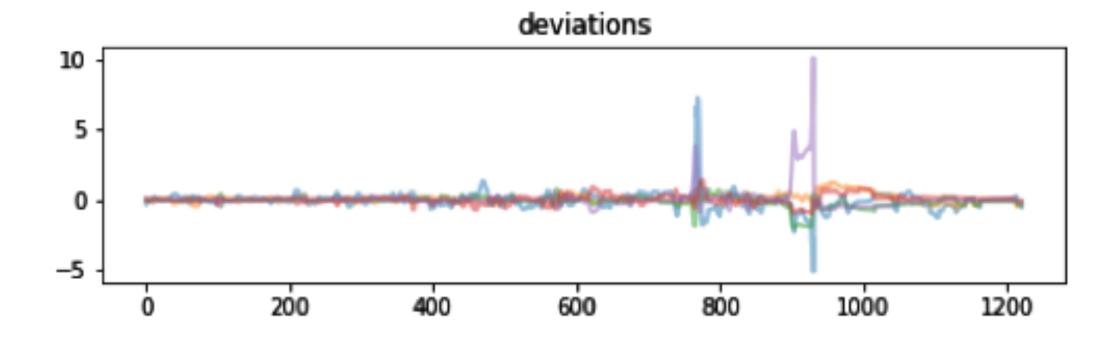


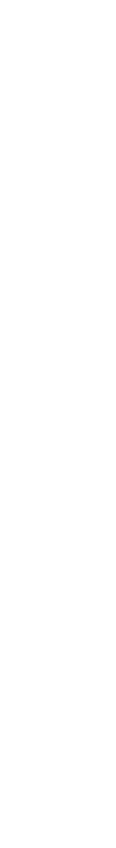


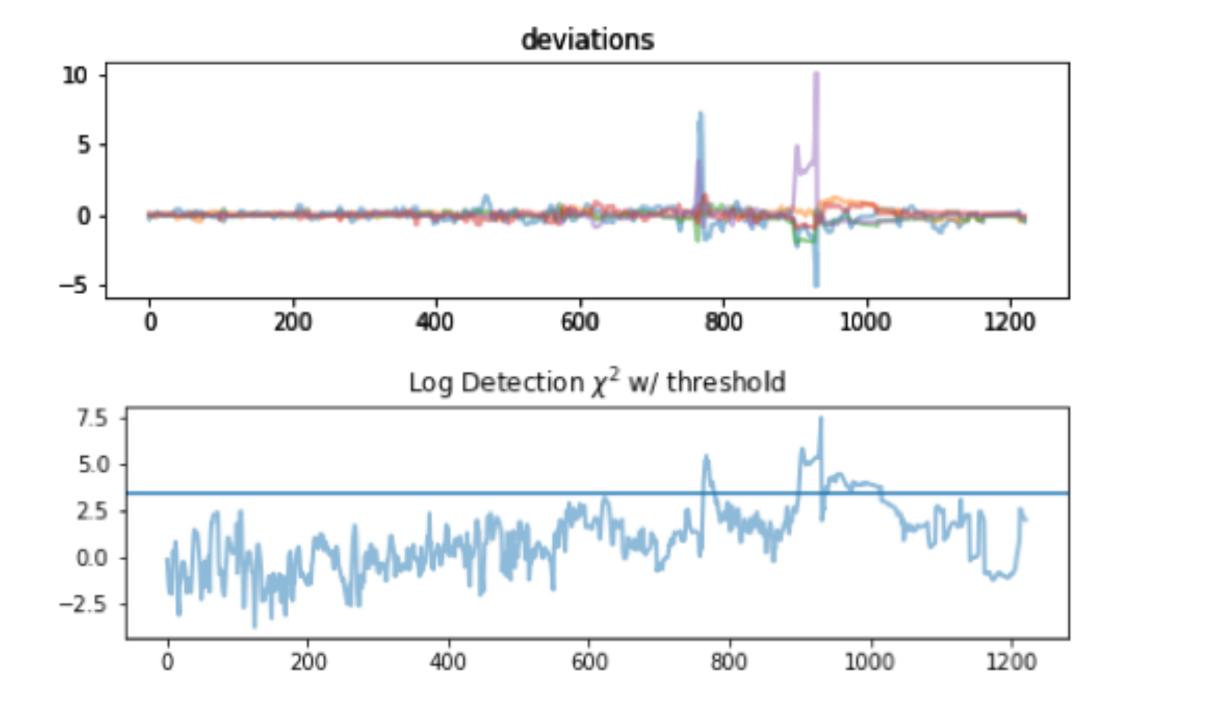


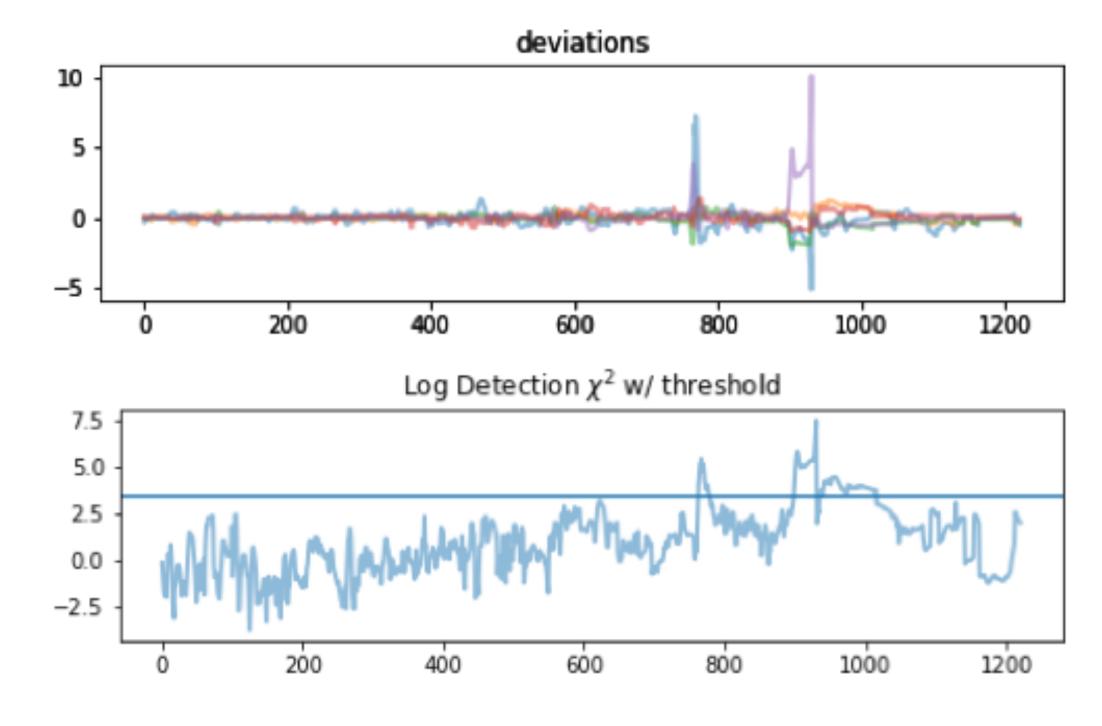
increase latency around sample 750, change configuration around sample 900







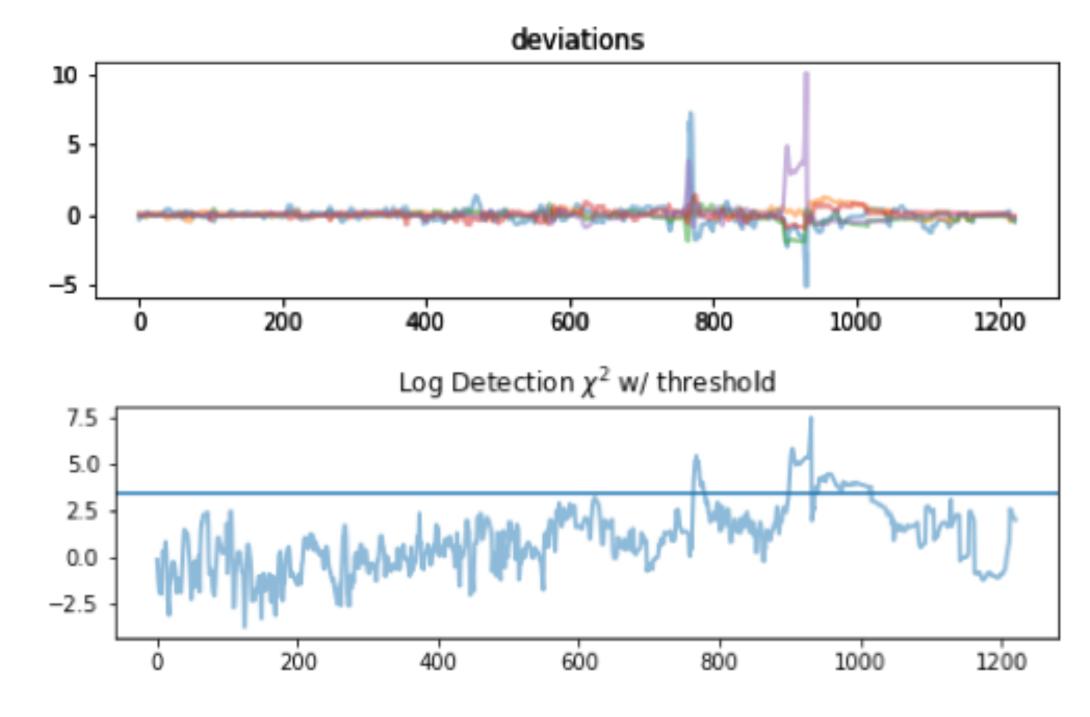


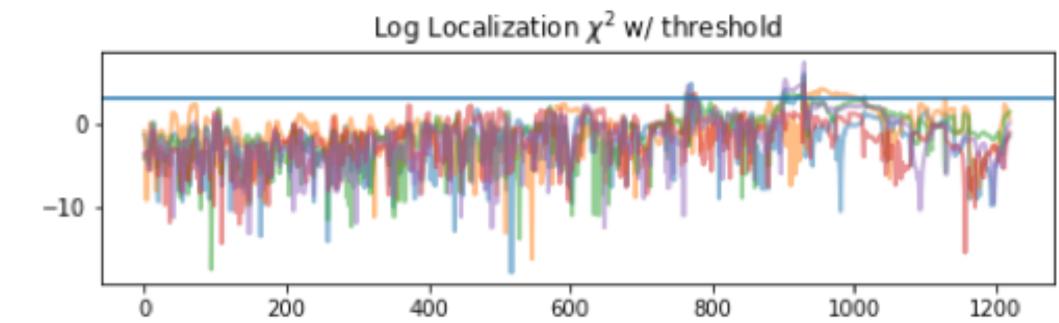


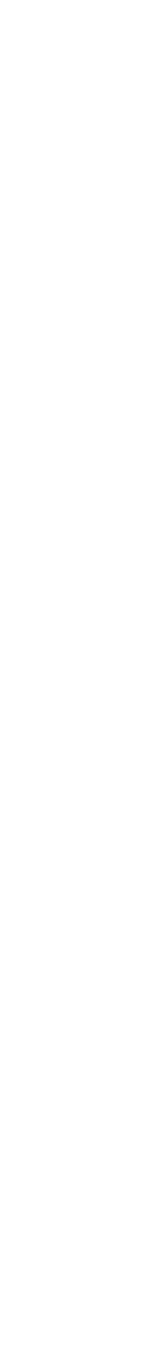


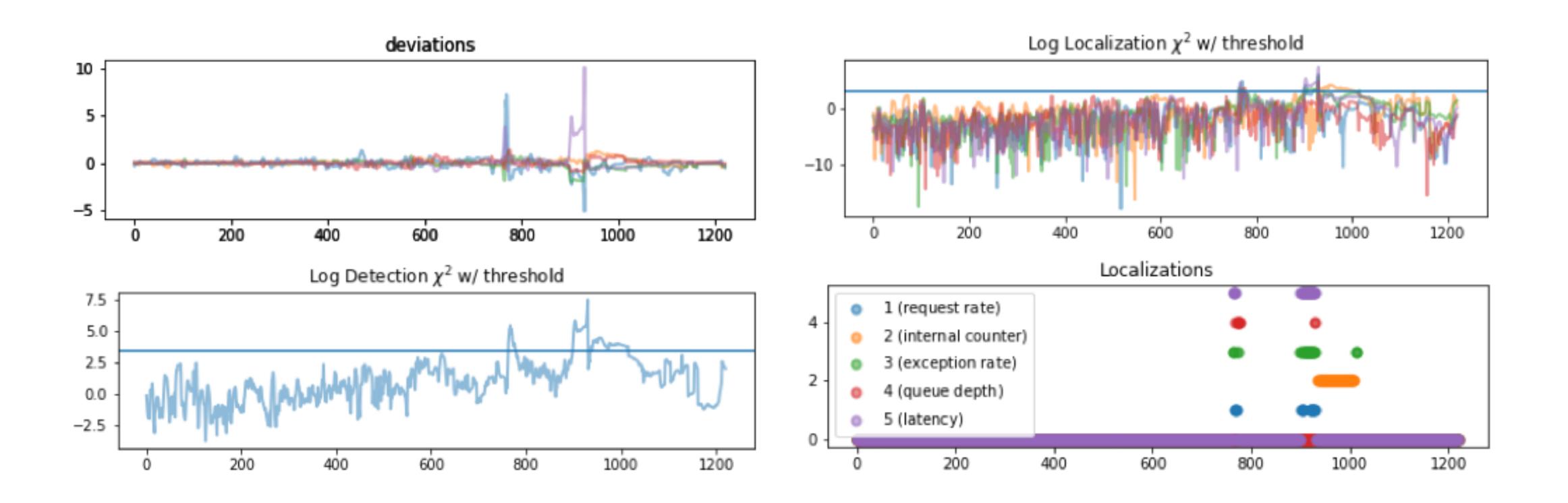


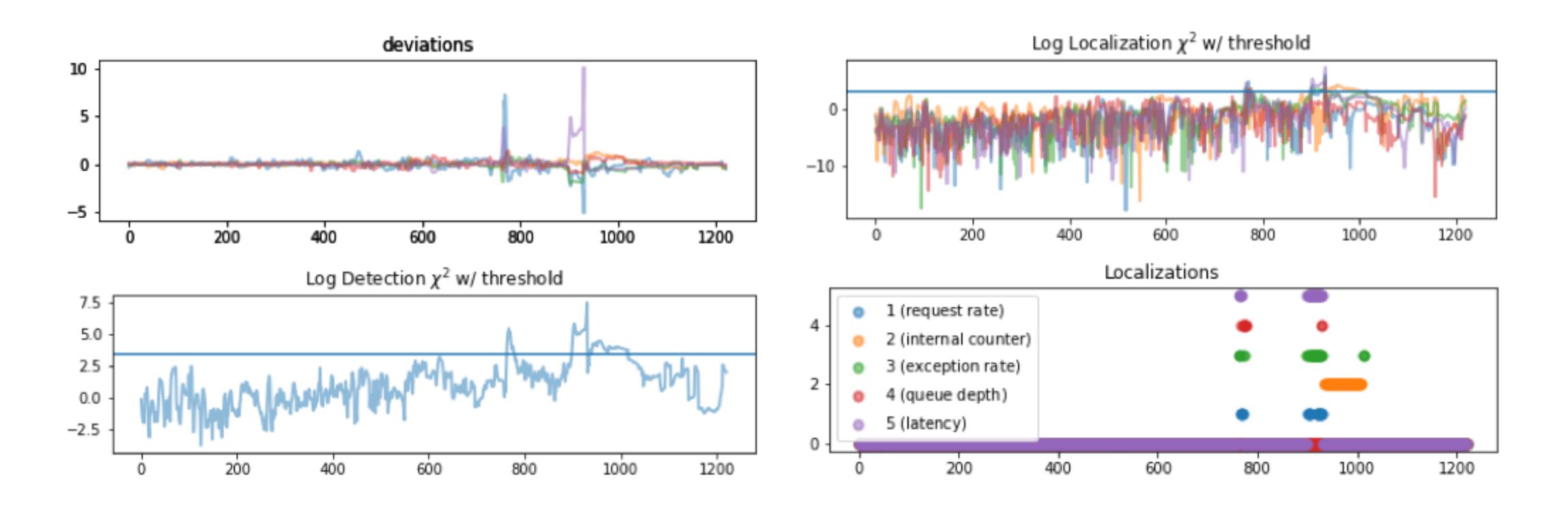






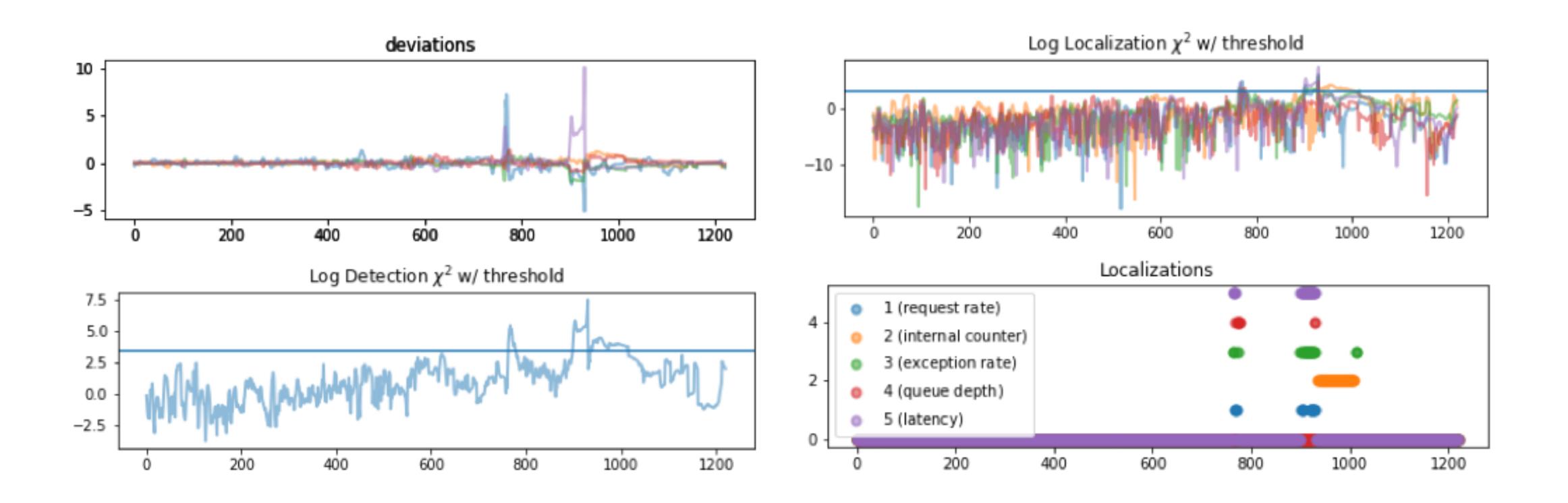




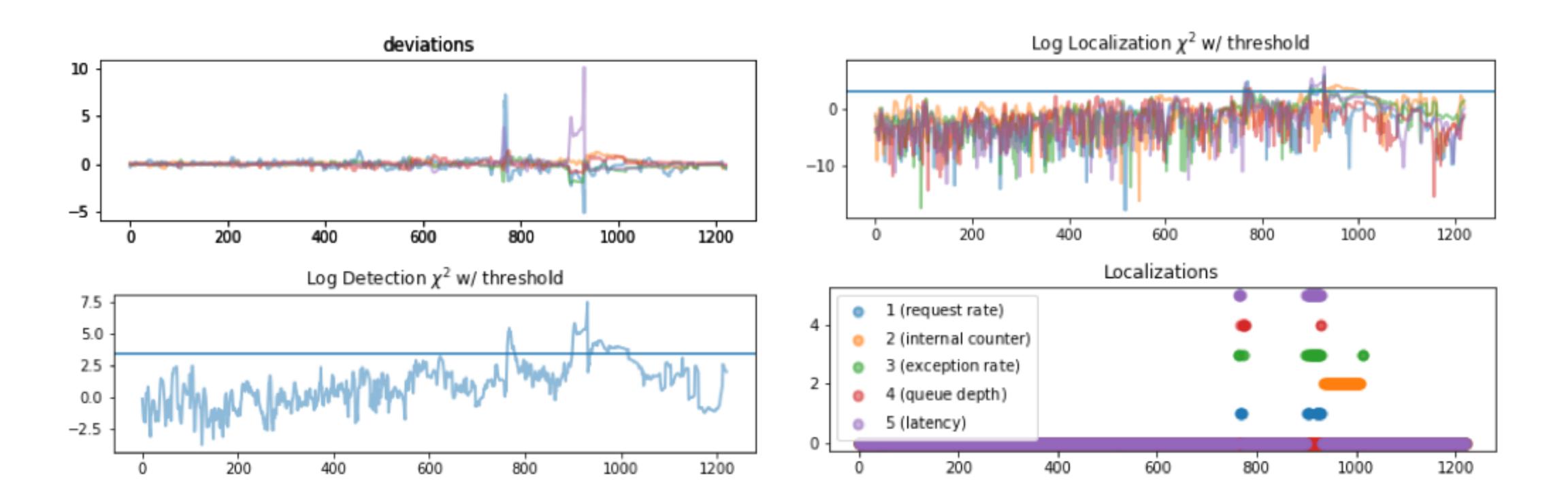


first detection excludes internal counter, may indicate input change









second detection includes counter, internal change



Residual Gauss-Markov random field

Our data model localizes potential problem sources





Residual Gauss-Markov random field

Our data model localizes potential problem sources

Thank you!

