# Reconstruction of compressive light field data Yuxin Hu, Minda Deng



### References

- [1] Kamal et al., Computer Vision and Image Understanding, 2016
- [2] Bishop et al., Proceedings of the ICCP, IEEE, 2009
- [3] Marwah et al., ACM Trans. Graph, 2013
- [4] Jain et al., ACM symposium on Theory of computing. ACM, 2013.

{yuxinh, mindad}@stanford.edu

Stanford University, Stanford, CA 94305, USA

variation,

#### Explanations Our low-rank + sparse formulation: mask operator at all V views and all T frames $\min_{L,S} \|A(L+S) - b\|_2^2 + \lambda_1 P_1(L) + \lambda_2 P_2(S)$ low rank/sparse component (V views in total) L/S acquired view-combined image (T frames in total) λ<sub>1</sub>, λ<sub>2</sub> Update rule using **ADMM** while stop criterion false do Ρ<sub>2</sub>, Ψ $L^{k+1} = argmin_L \left\| A(L+S^k) - b \right\|_2^2 + \rho/2 \left\| L - Z_1^k + U_1^k \right\|_2^2$ $S^{k+1} = argmin_S \left\| A(L^k + S) - b \right\|_2^2 + \rho/2 \left\| \Psi(S) - Z_2^k + U_2^k \right\|_2^2$ mask $Z1 = prox_{\frac{\lambda_1}{a}P_1} (L^{K+1} + U_1^{k+1})$ $Z2 = prox_{\frac{\lambda^2}{2}P_2}(\Psi(S^{K+1}) + U_2^{k+1})$ $U_1^{k+1} = U_1^k + L^{k+1} - Z_1^{k+1}$ $U_2^{k+1} = U_2^k + \Psi(S^{k+1}) - Z_1^{k+1}$ return L, S \*Code available at https://drive.google.com/open?id=1XDZsROvJaLwXzfpkCJR6GRPxOVA9FVYf **Experimental Results Original view 2** Original view 1 Original view 2 Original view 1

Coded input

Reconstructed view Reconstructed view 1



\*Data from http://graphics.stanford.edu/data/LF/lfs.html

## **New Technique**





## Summary

- Able to recover multiple views from compressive light field data.
- Formulated the recovery as a two-component model (low rank + sparse) and implemented corresponding ADMM algorithm to solve it.
- Still exploring different models, different combinations of priors and parameter space.