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EE 486 lecture 12: More on Divide, systems issues and SRT.

M. J. Flynn (Figures used in slides 4-13 are from B. Parhami, Computer Arithmetic)

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Non restoring division

• We define the partial remainder as:

$$s^{(j)} = r s^{(j-1)} - q_i d$$

- For binary, r = 2 and q_i in $\{-1,1\}$
- So we end up with something like:



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Conversion to binary

- Shift left by 1
- Pad 1 as the new LSB
- Keep the 1 as is and replace any -1 by 0
- Complement the MSB

Proof: use $b_i = (q_i + 1)/2$ or $q_i = 2 b_i - 1$



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Non restoring; two views Partial remainder diagrams • These are 2 Partial remainder diagrams; - 2 possible quotient digits (or actions) - 3 digits; now including the possibility of a 0 quotient digit (or no op action). - The 3 digit set allows a redundant representation



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Partial Remainder diagrams

- Show the partial remainder's range and the quotient digit to be selected.
- Using the digit set {-1,1} recognizes non restore correction but each iteration has a full CPA delay.
- Using {-1,0,1} allows us to recognize the skip over 0 case and do a no op (Software, variable shift). Also, redundancy allows the delay of only a CSA per iteration (Hardware).



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SRT

- Sweeney, Robertson and Tocher (SRT)
- Use digit redundancy to simplify/ speed up divide.
- If we have a redundant set {-1,0,1} for some combination of s^(j) and d (PD combination) we can select either 0 or -1: or 0 or 1 and still get the same result.

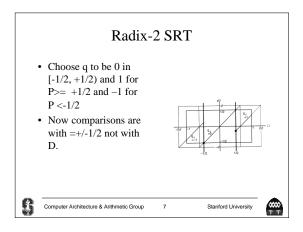


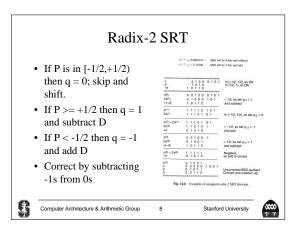
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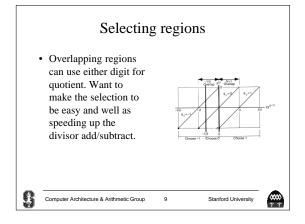
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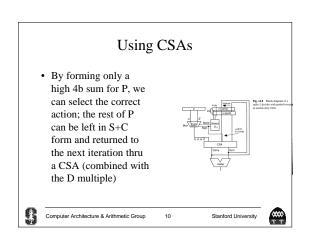


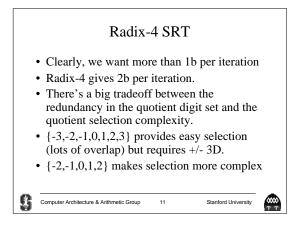
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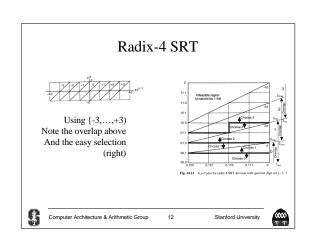






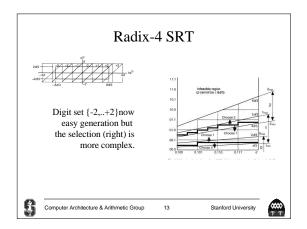






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SRT

- Has been the most widely used (especially radix-4); radix-8 is also sometimes used. That's probably the practical limit though it's possible to pipeline 2 lower order SRT to get the equivalent of a higher order SRT.
- Since it's subtractive, SRT gives IEEE quotient and the remainder.



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